

Scintillation Detectors

Introduction

Components

Scintillator

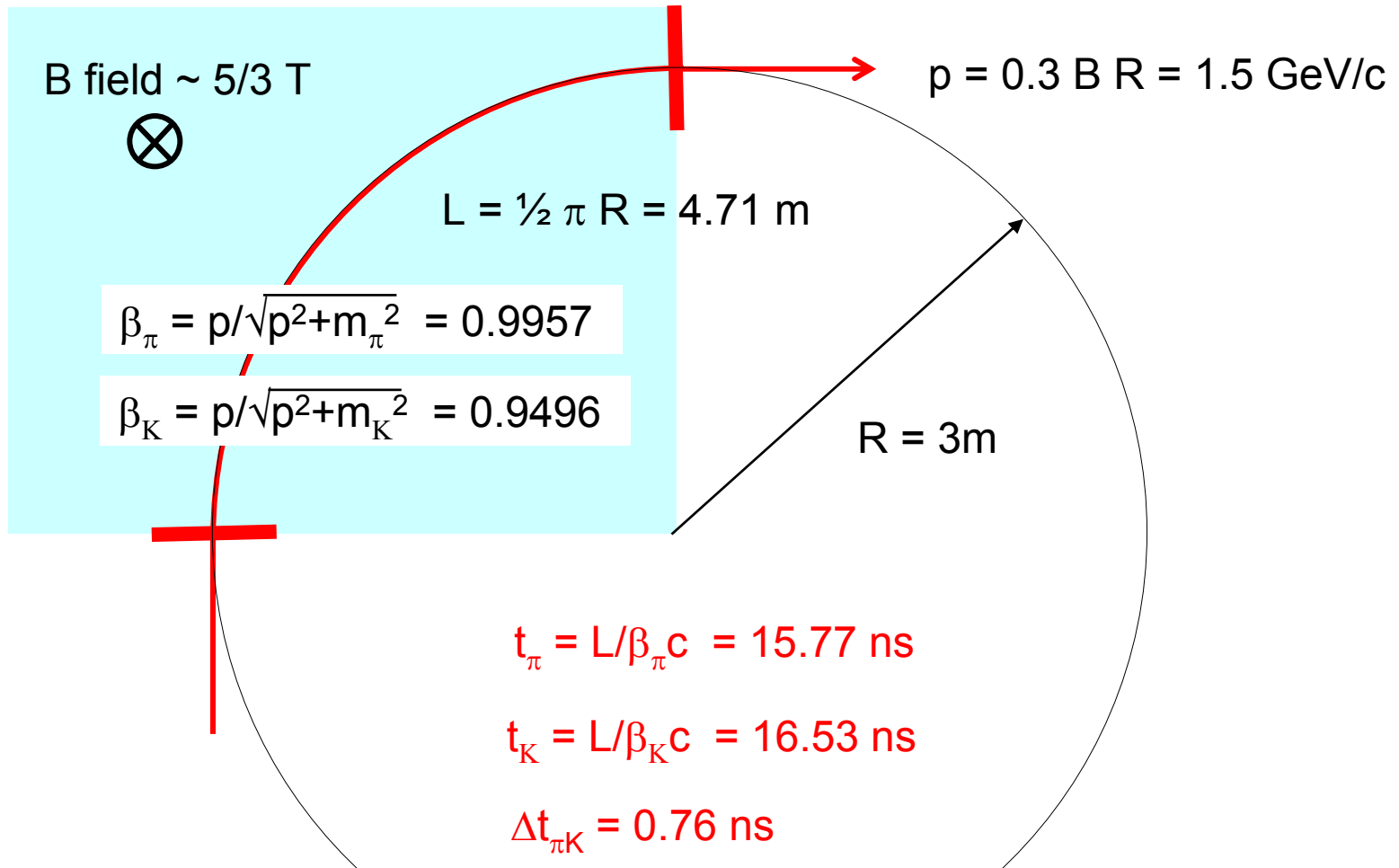
Light Guides

Photomultiplier Tubes

Formalism/Electronics

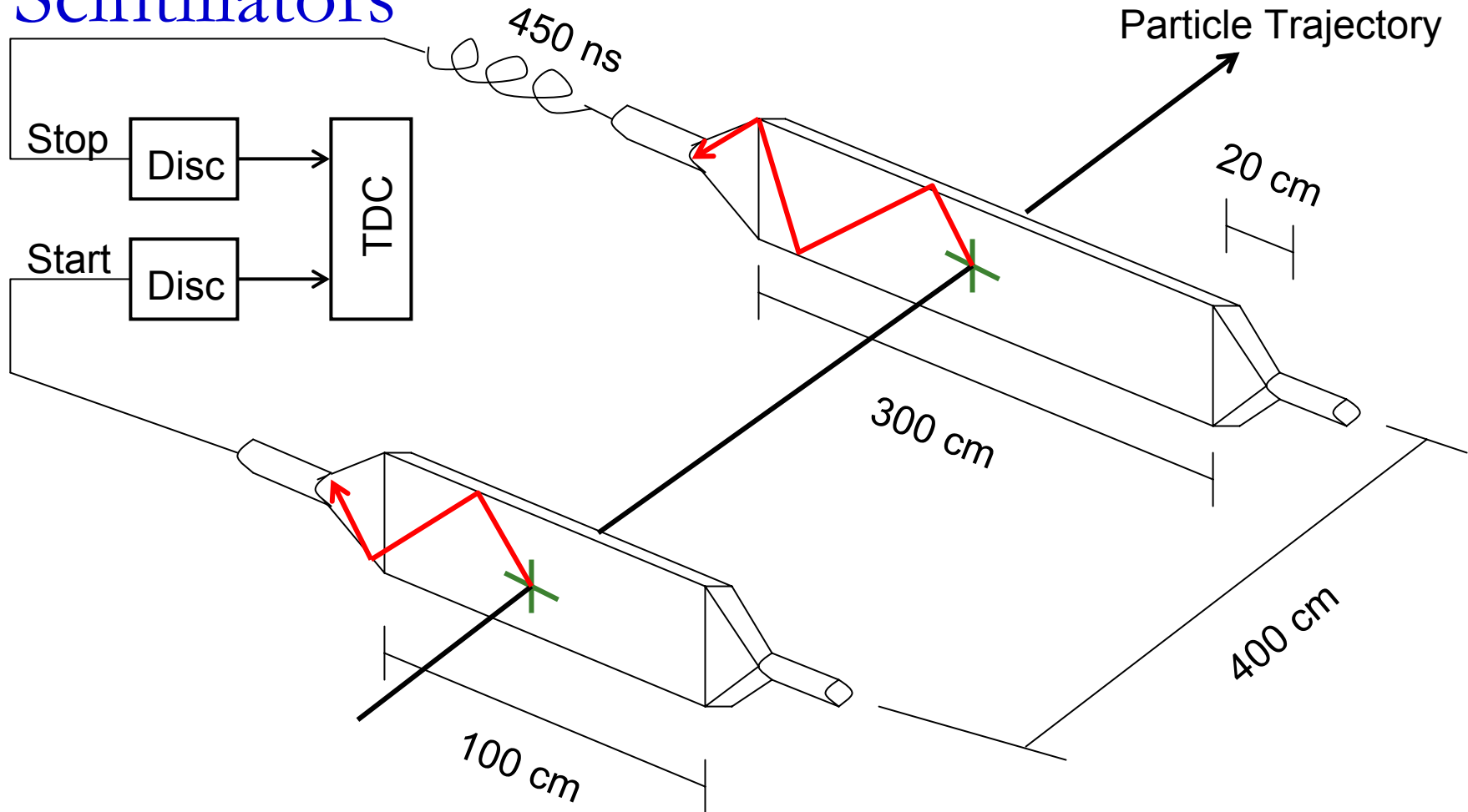
Timing Resolution

Experiment basics

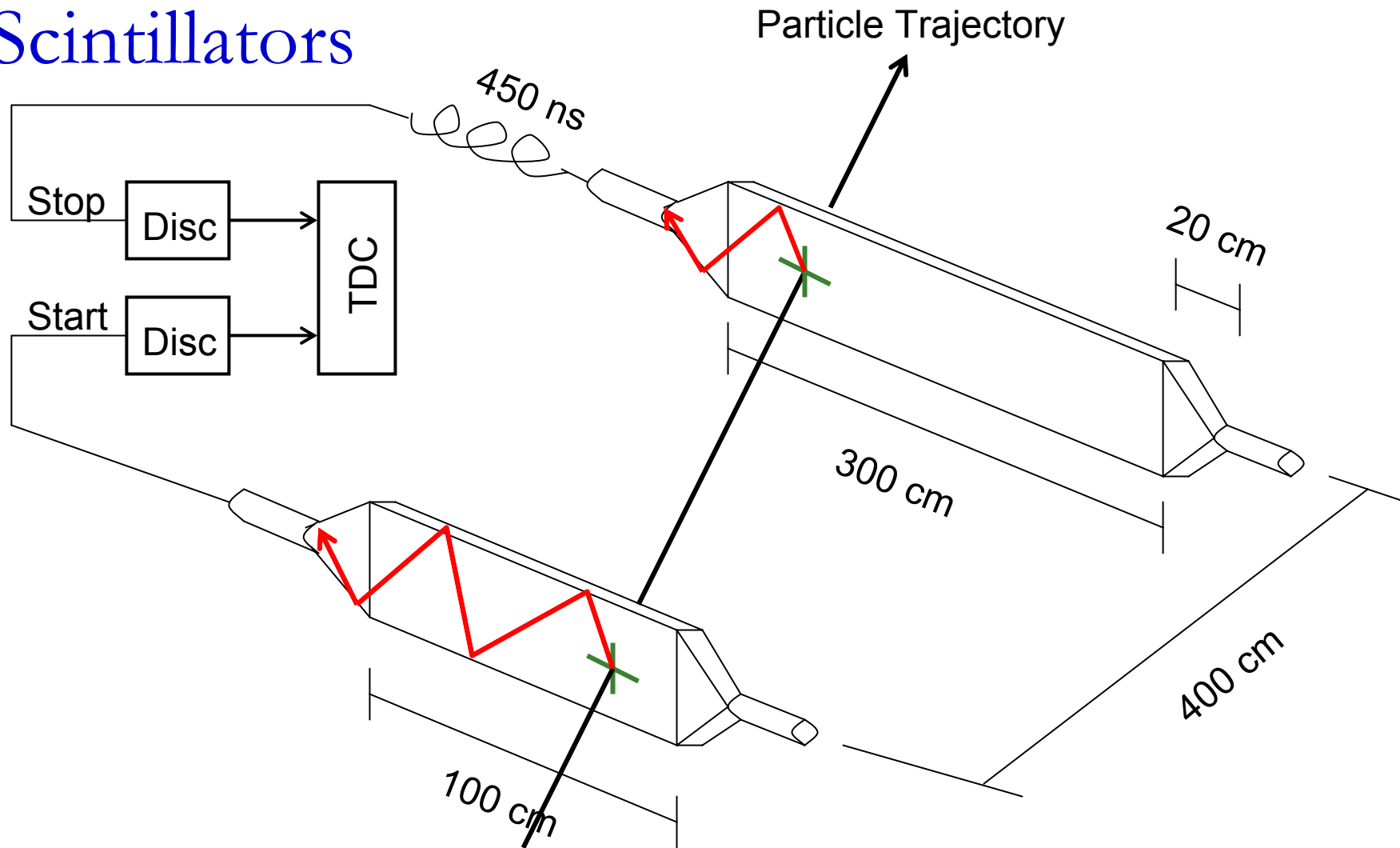


Particle Identification by time-of-flight (TOF) requires Measurements with accuracies of $\sim 0.1\text{ ns}$

Measure the Flight Time between two Scintillators



Measure the Flight Time between two Scintillators



Propagation velocities

- $c = 30 \text{ cm/ns}$

- $v_{\text{scint}} = c/n = 20 \text{ cm/ns}$

$$\Delta t \sim 0.1 \text{ ns}$$

$$\Delta x \sim 3 \text{ cm}$$

- $v_{\text{eff}} = 16 \text{ cm/ns}$

- $v_{\text{pmt}} = 0.6 \text{ cm/ns}$

- $v_{\text{cable}} = 20 \text{ cm/ns}$

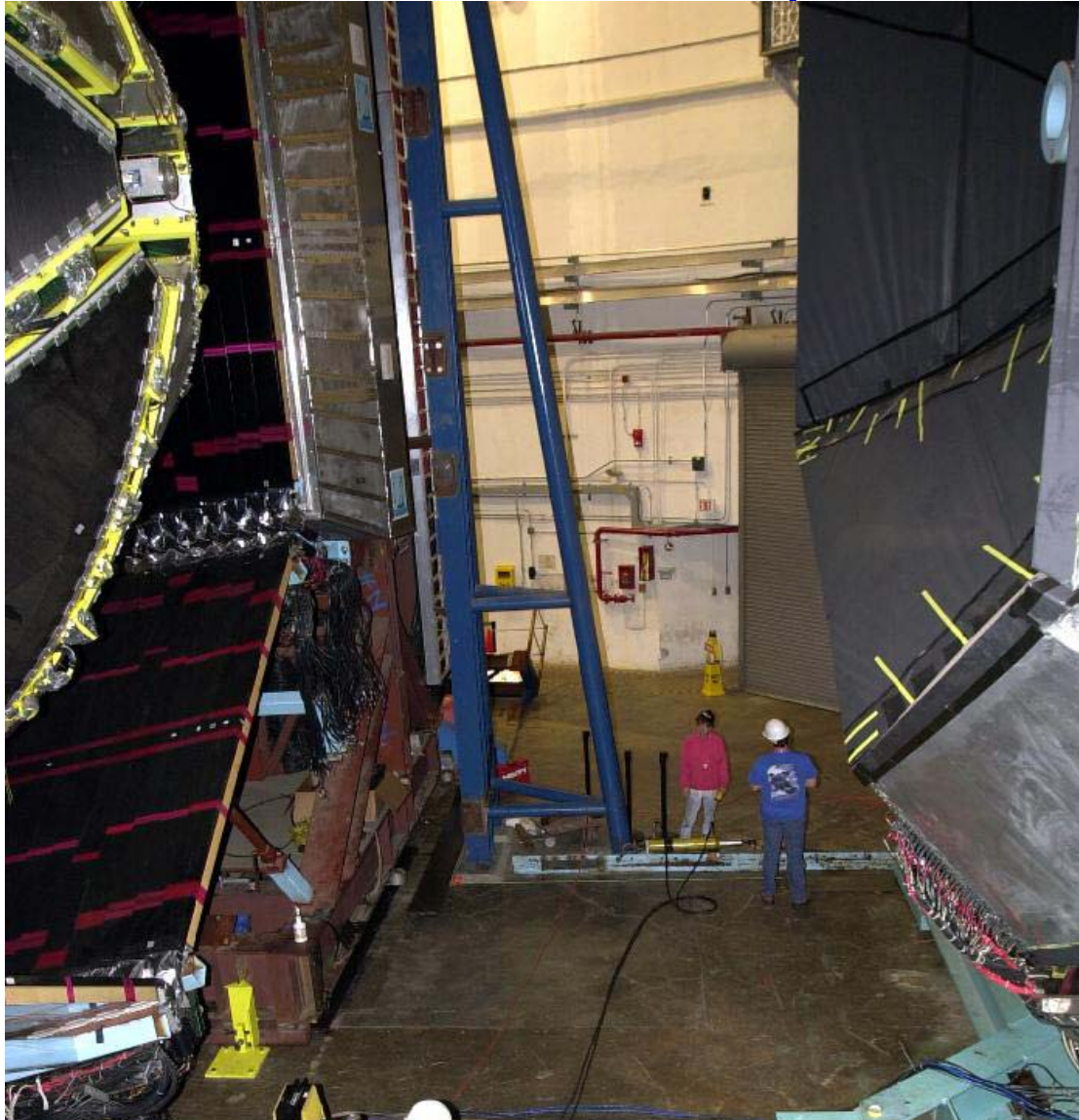
TOF scintillators stacked for shipment



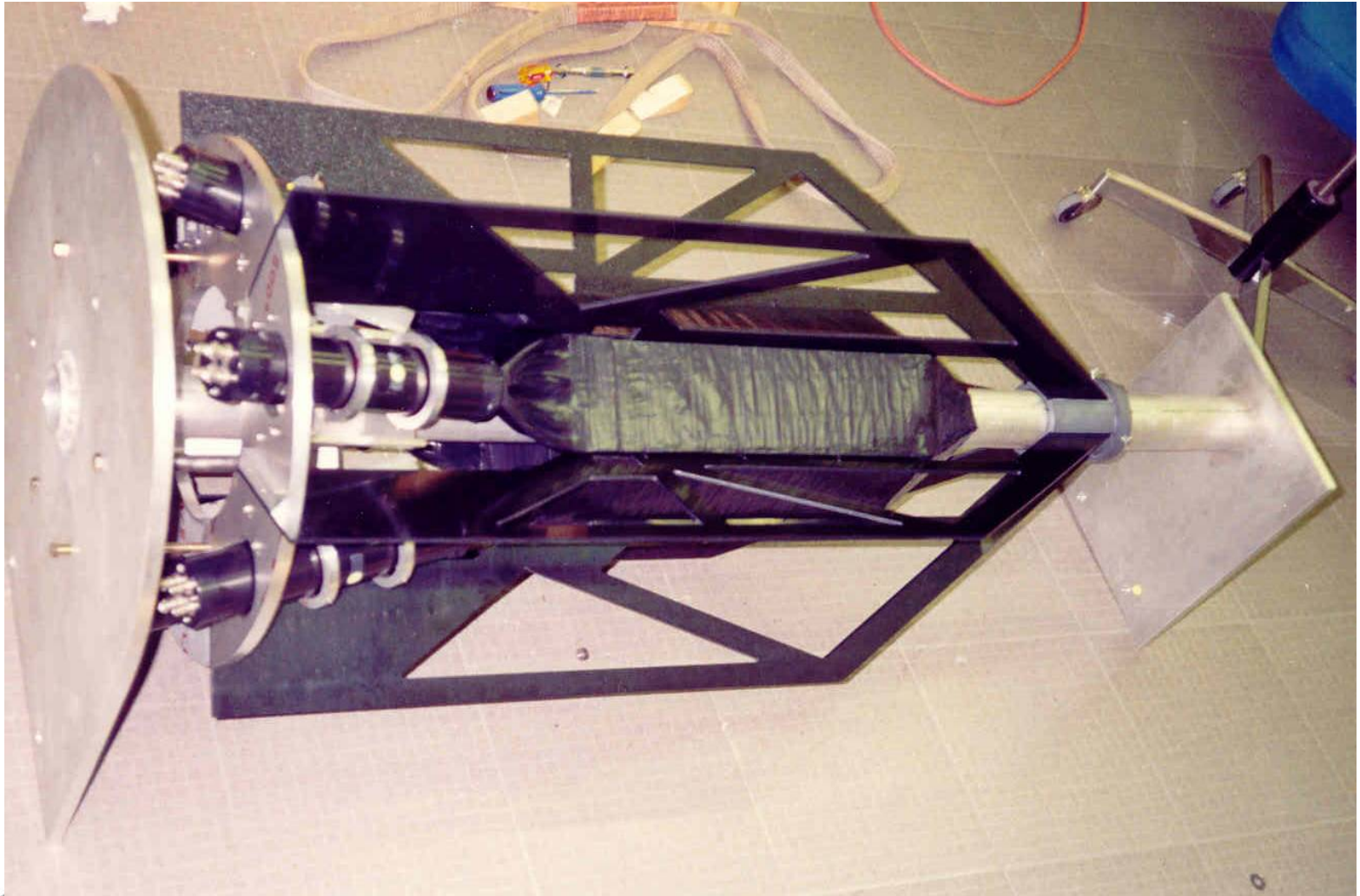
CLAS detector open for repairs



CLAS detector with FC pulled apart



Start counter assembly



Scintillator types

■ Organic

☐ Liquid

- Economical
- messy

☐ Solid

- Fast decay time
- long attenuation length
- Emission spectra

■ Inorganic

☐ Anthracene

- Unused standard

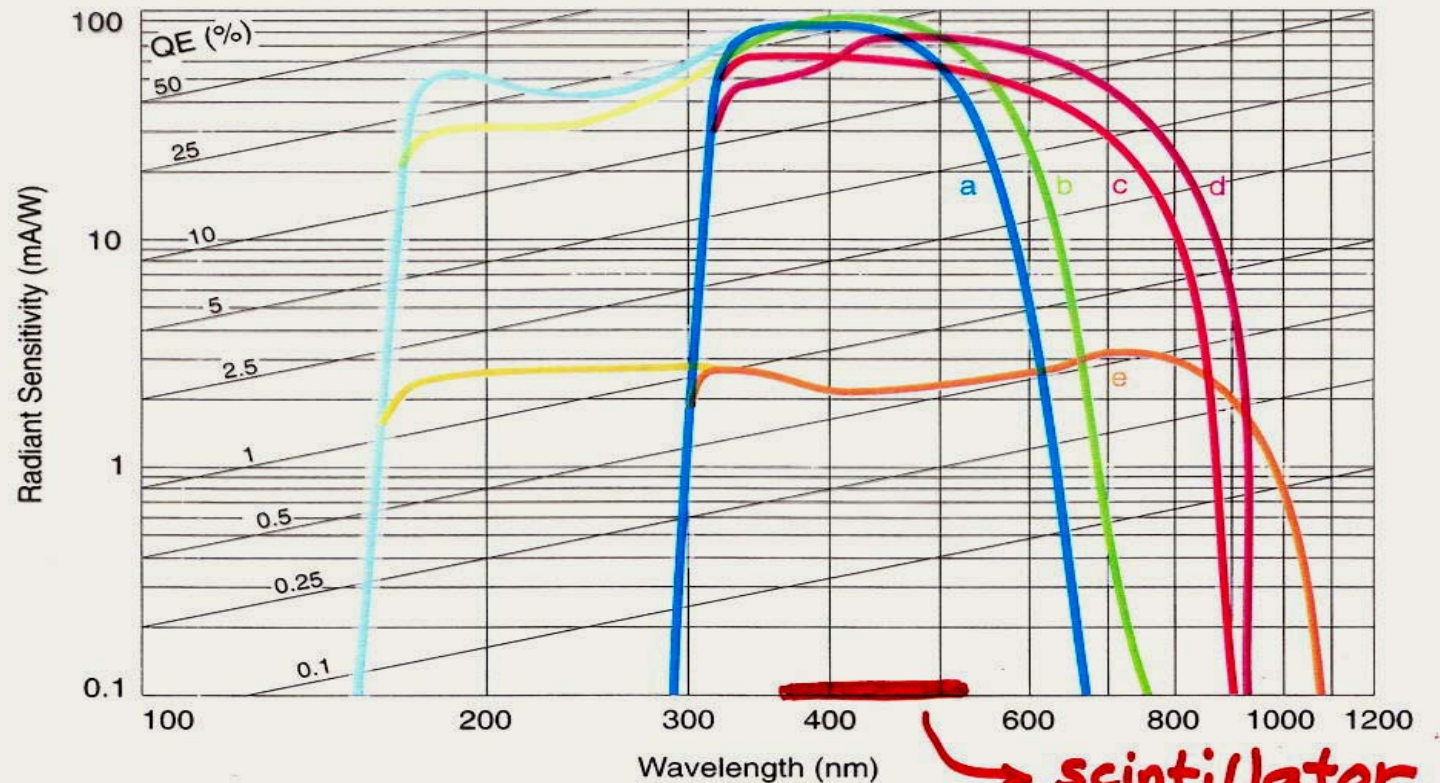
☐ NaI, CsI

- Excellent γ resolution
- Slow decay time

☐ BGO

- High density, compact

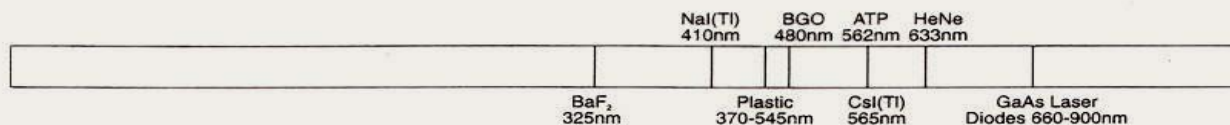
Photocathode spectral response



Lighter coloured sections of the curves show the UV response of the quartz window options.



scintillator response



Scintillator thickness

- Minimizing material vs. signal/background
- CLAS TOF: 5 cm thick
 - Penetrating particles (e.g. pions) loose 10 MeV
- Start counter: 0.3 cm thick
 - Penetrating particles loose 0.6 MeV
 - Photons, e^+e^- backgrounds $\sim 1\text{MeV}$ contribute substantially to count rate
 - Thresholds may eliminate these in TOF

Light guides

■ Goals

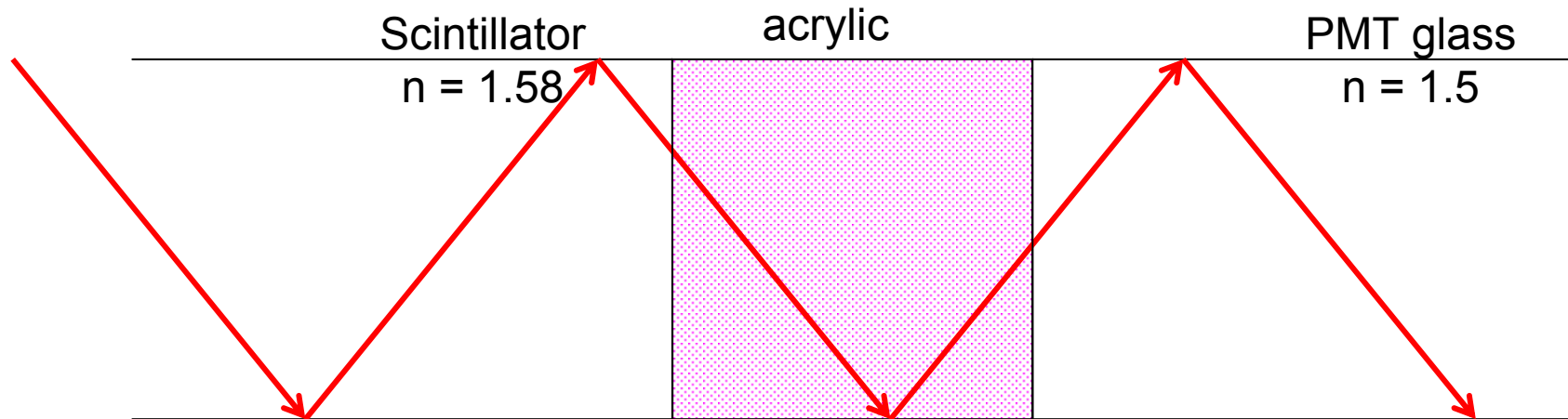
- ☐ Match (rectangular) scintillator to (circular) pmt
- ☐ Optimize light collection for applications

■ Types

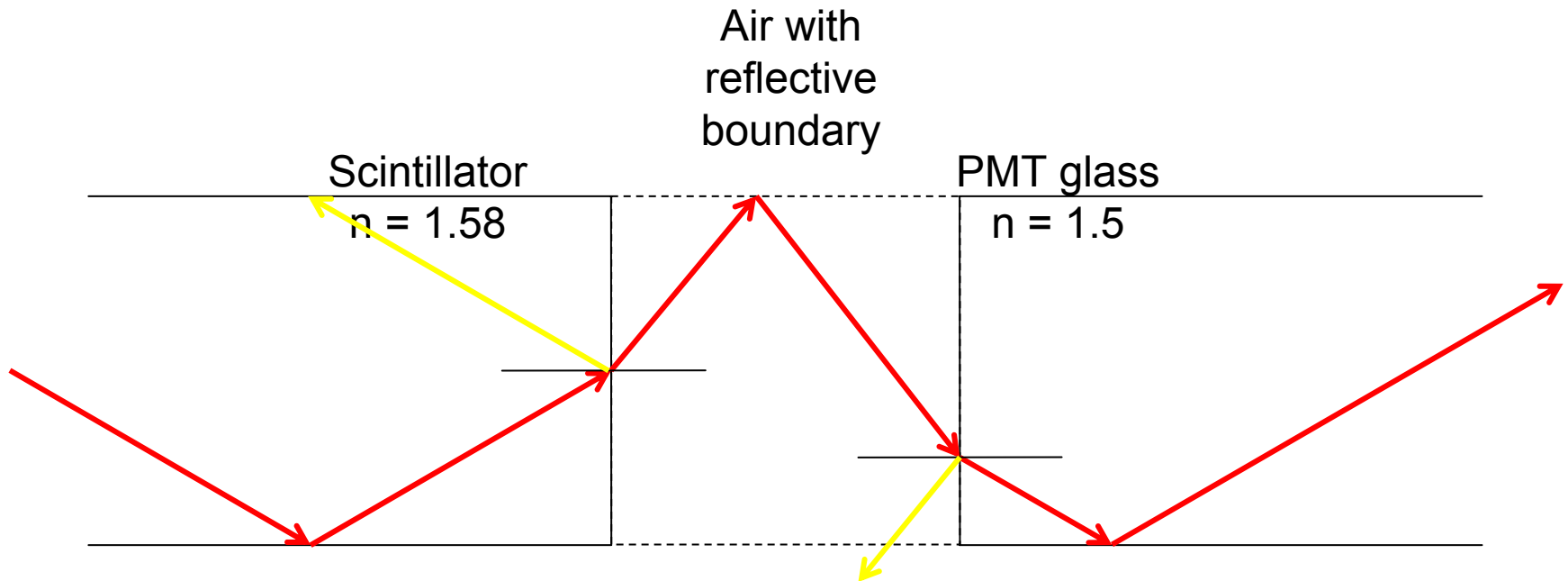
- ☐ Plastic
- ☐ Air
- ☐ None
- ☐ “Winston” shapes



Reflective/Refractive boundaries



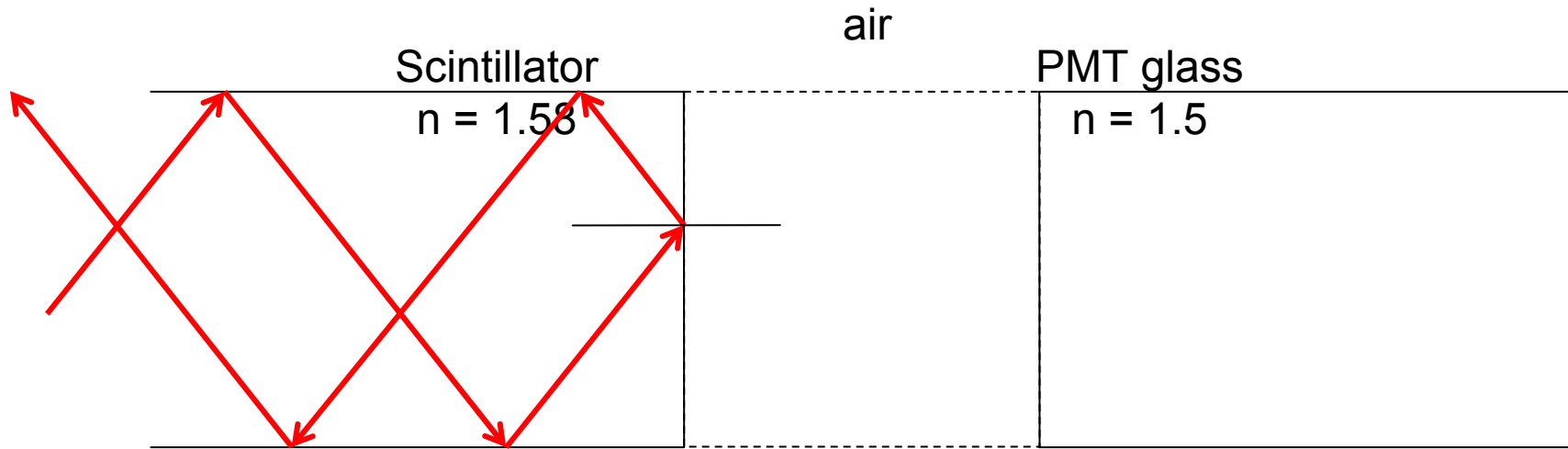
Reflective/Refractive boundaries



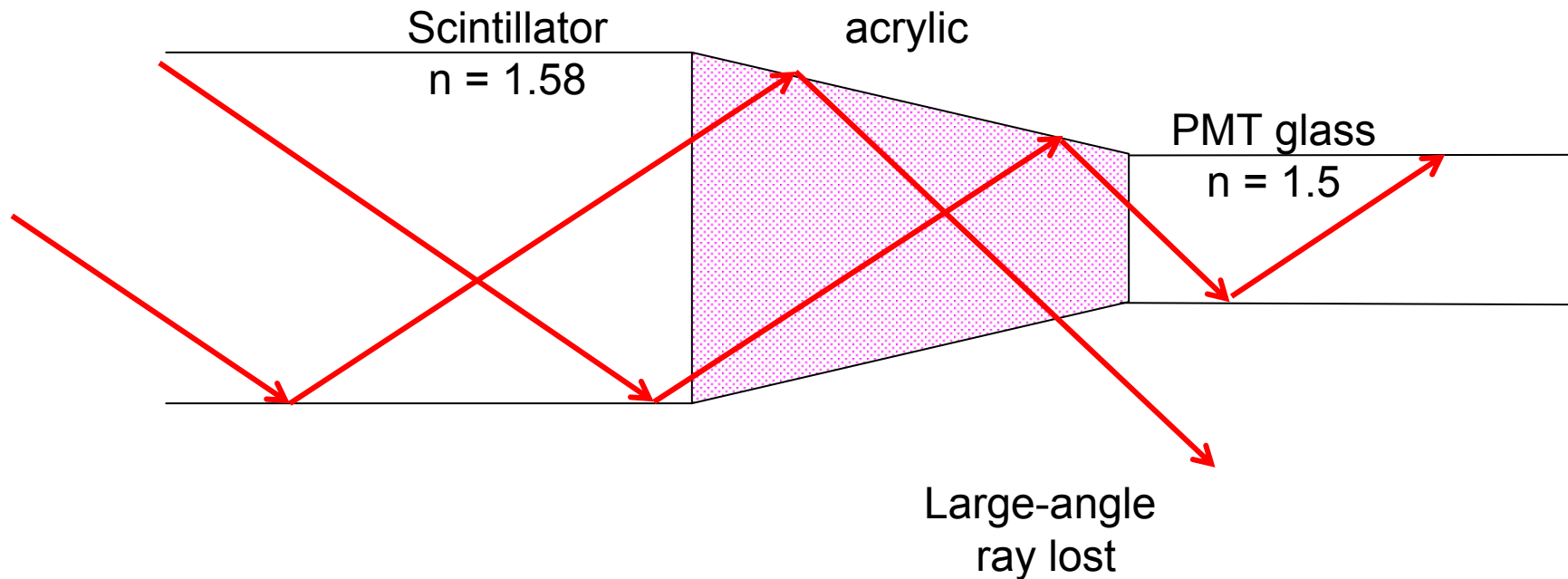
$$R_{air} = \left(\frac{1-n}{1+n} \right)^2 \approx 4-5\%$$

(reflectance at normal incidence)

Reflective/Refractive boundaries



Reflective/Refractive boundaries



Acceptance of incident rays at fixed angle depends
on position at the exit face of the scintillator

Winston Cones - geometry

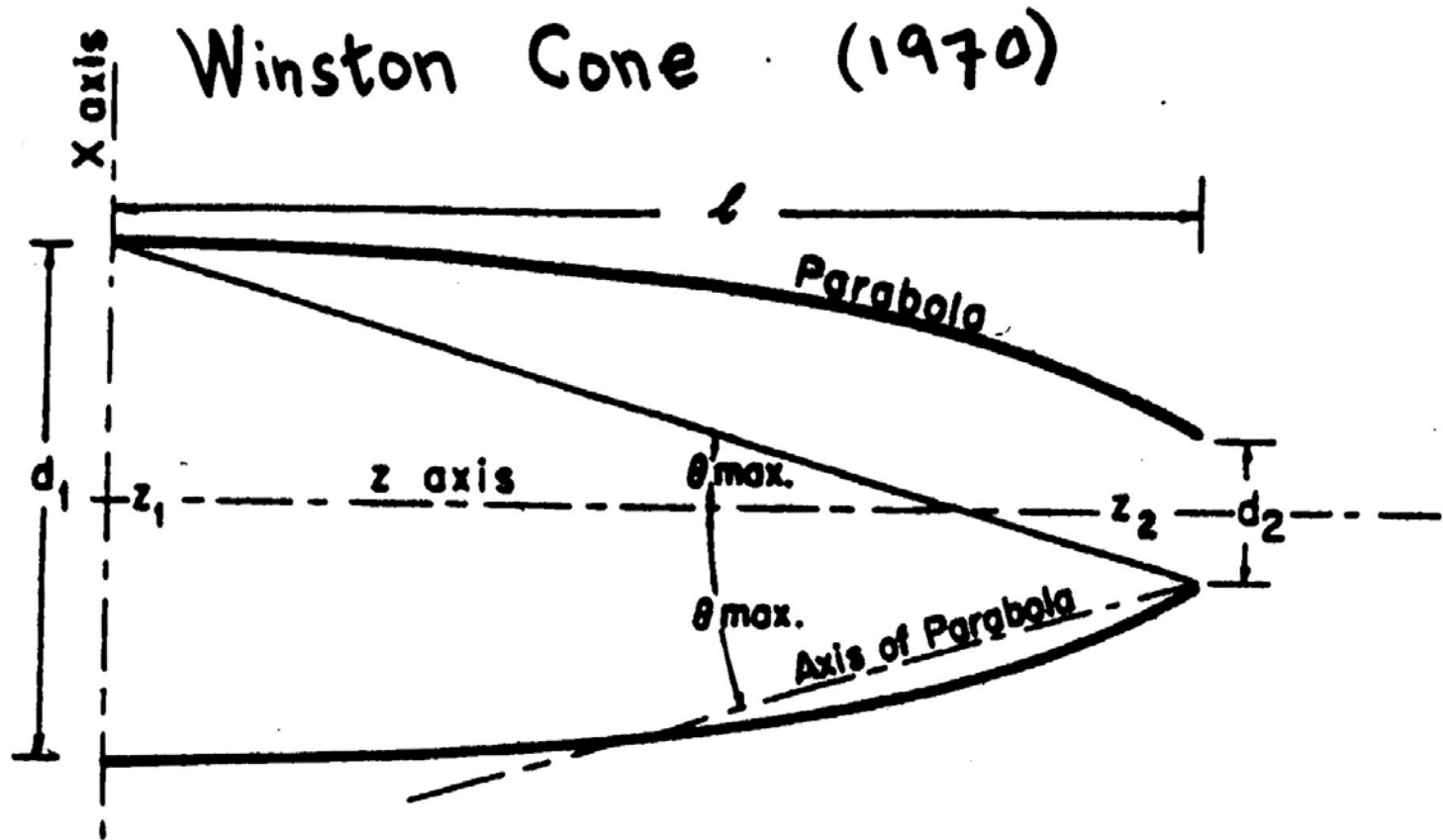


FIG. 2. Construction of an ideal light collector for the case of constant index of refraction. In this example, $\theta_{max} = 16^\circ$.

Winston Cone - acceptance

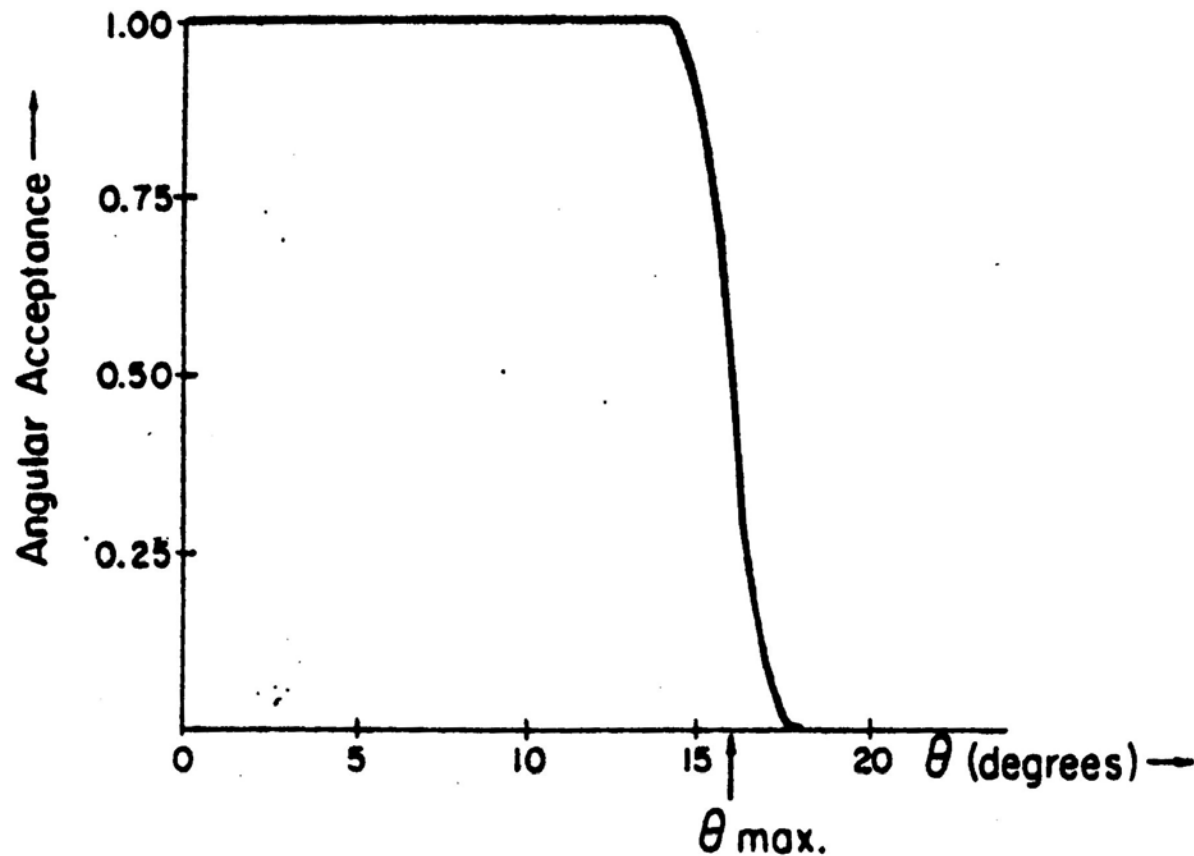
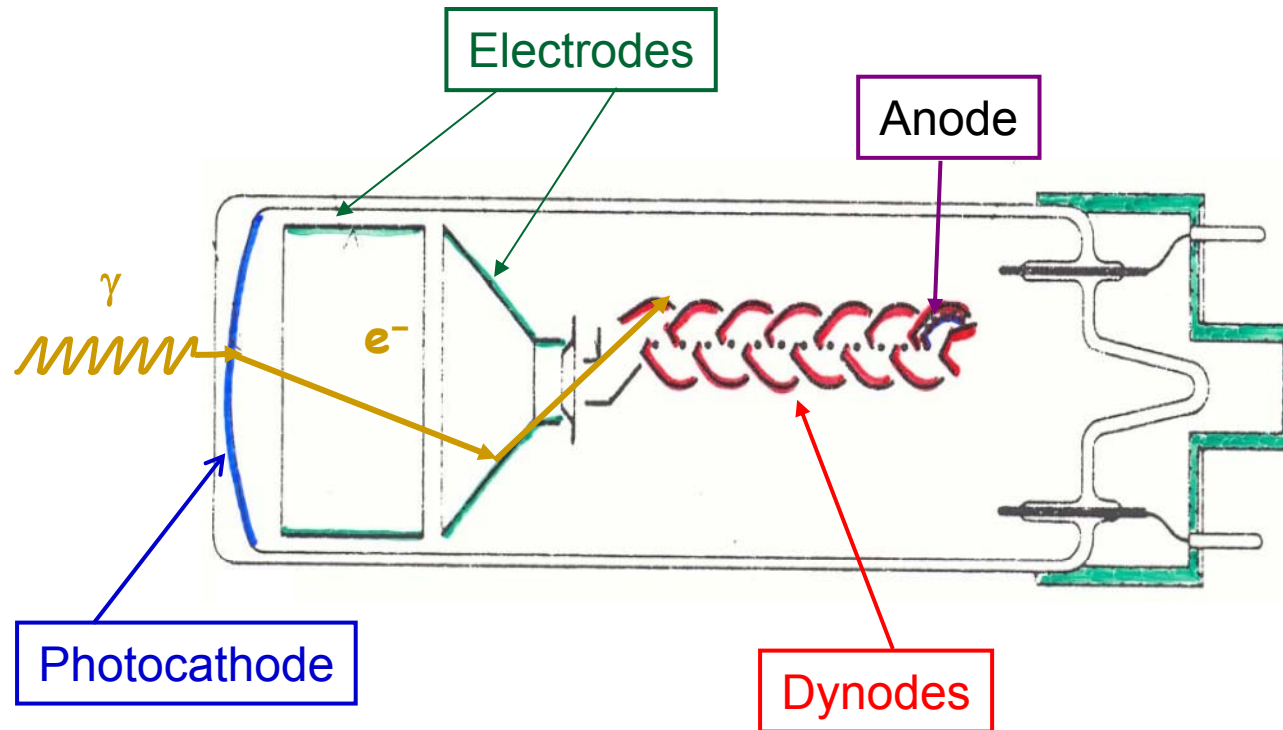


FIG. 4. The angular acceptance as a function of angle of incidence at the entrance aperture for an ideal three-dimensional light collector. Note that the angular acceptance cuts off over a region $\Delta\theta$ approximately 1° centered about θ_{\max} . In this example, $\theta_{\max} = 16^\circ$.

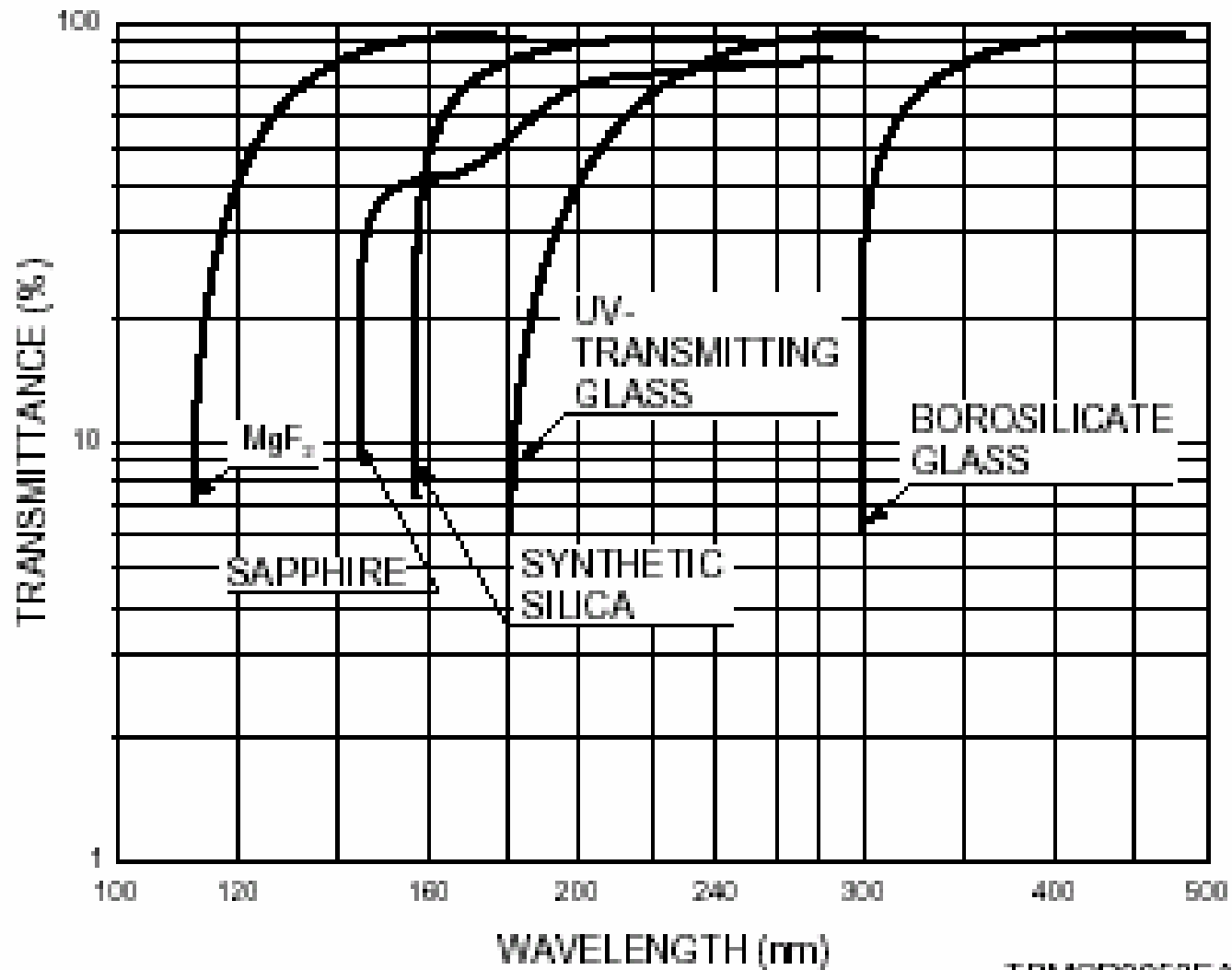
Photomultiplier tube, sensitive light meter

Gain $\sim 10^6 - 10^7$



56 AVP pmt

Window Transmittance

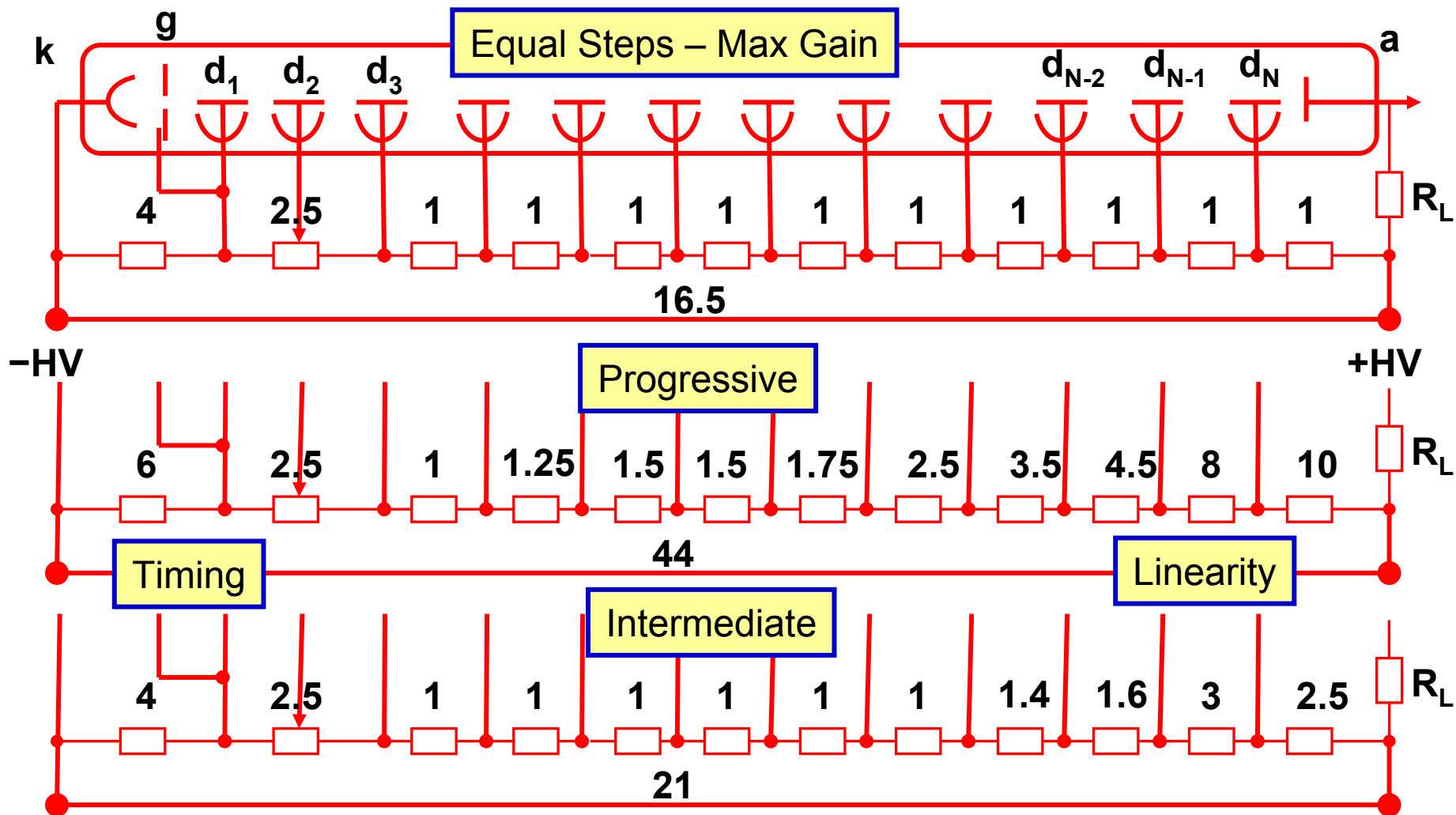


TPMOB0053EA

Voltage dividers

- Equal voltage steps
 - Maximum gain
- Progressive, higher voltage near anode
 - Excellent linearity, limited gain
- Time optimized, higher voltage at cathode
 - Good gain, fast response
- Zeners
 - Stabilize voltages independent of gain
- Decoupling capacitors
 - “reservoirs” of charge during pulsed operation

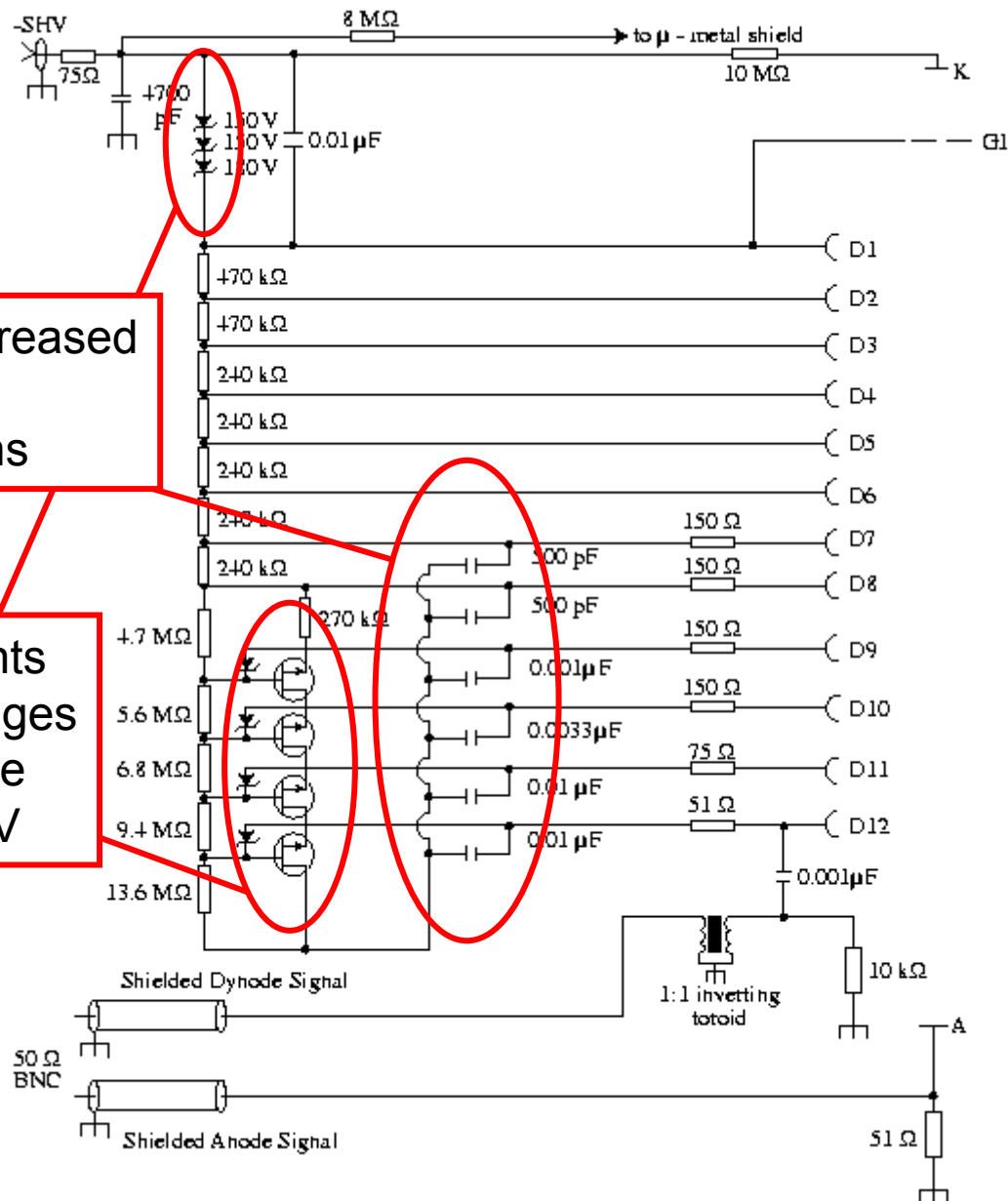
Voltage Dividers



Voltage Divider

Capacitors for increased linearity in pulsed applications

Active components to minimize changes to timing and rate capability with HV



High voltage

- Positive (cathode at ground)
 - low noise, capacitive coupling
- Negative
 - Anode at ground (no HV on signal)
- No (high) voltage
 - Cockcroft-Walton bases

Effect of magnetic field on pmt

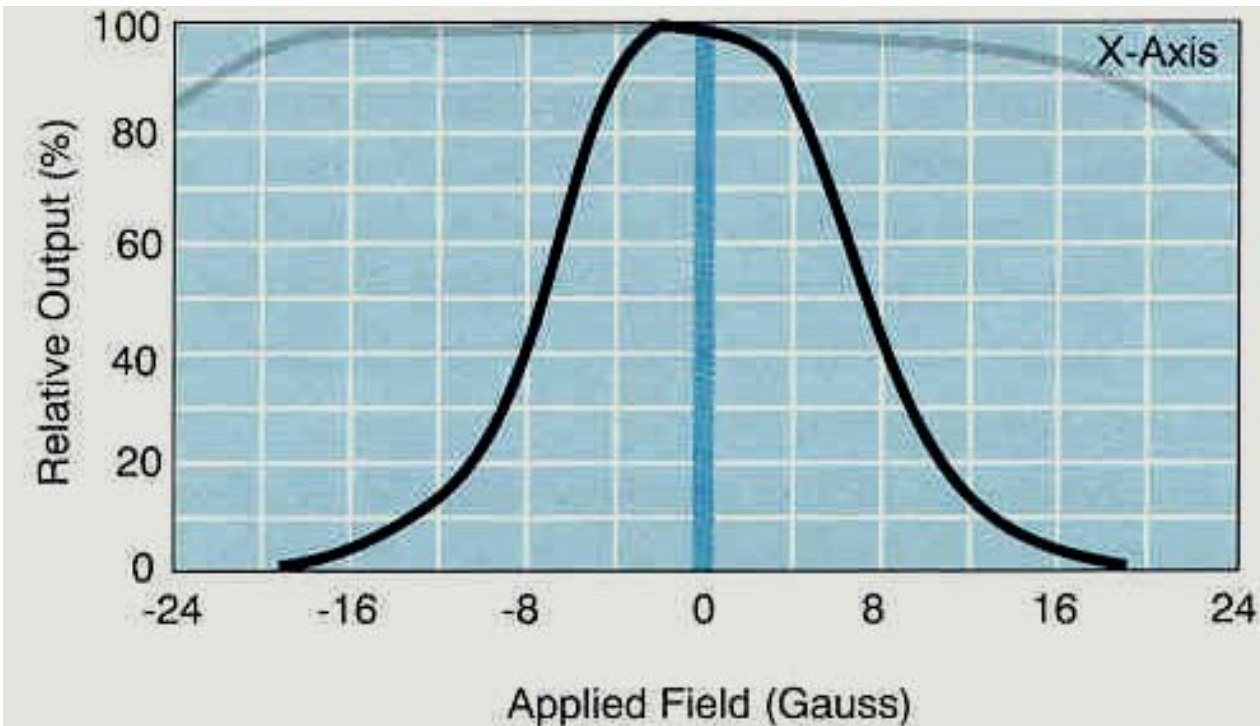
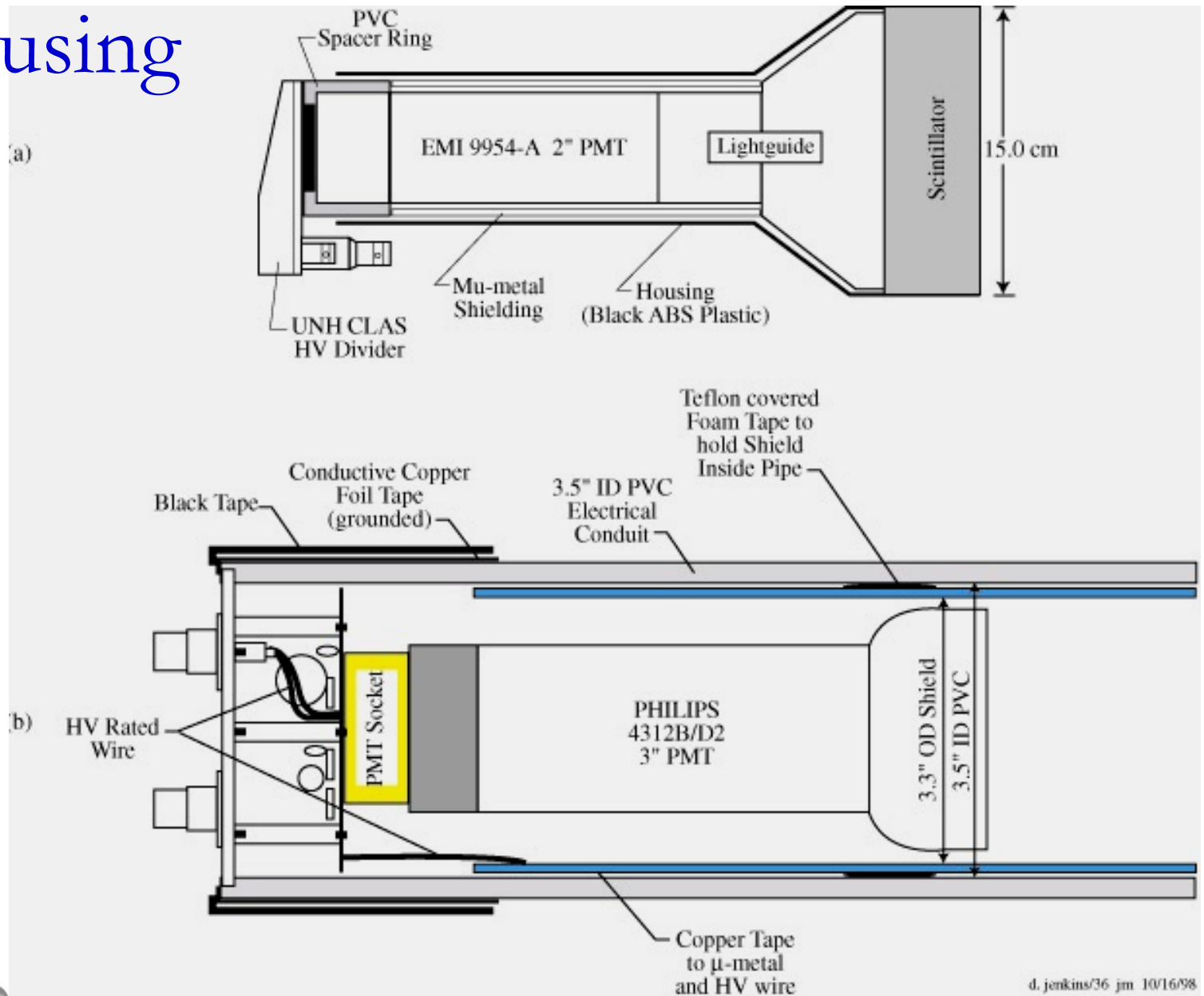


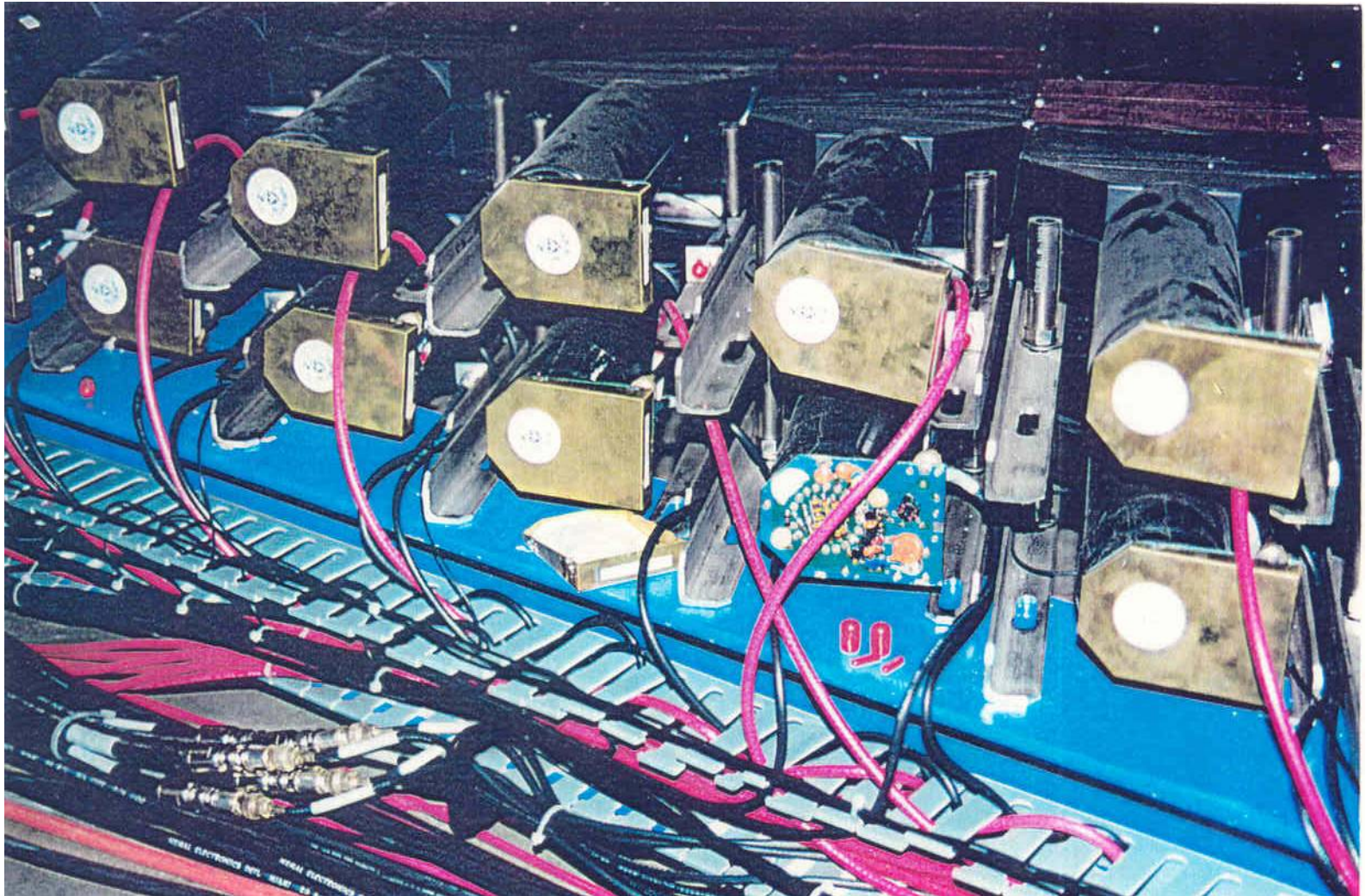
Figure 32

Demonstrating how a wrapped mu-metal shield reduces the sensitivity of a 9106 photomultiplier to external magnetic fields. Solid line: unshield; grey line: wrapped shield; shaded region: earth's field. Field aligned across the first dynode, X axis.

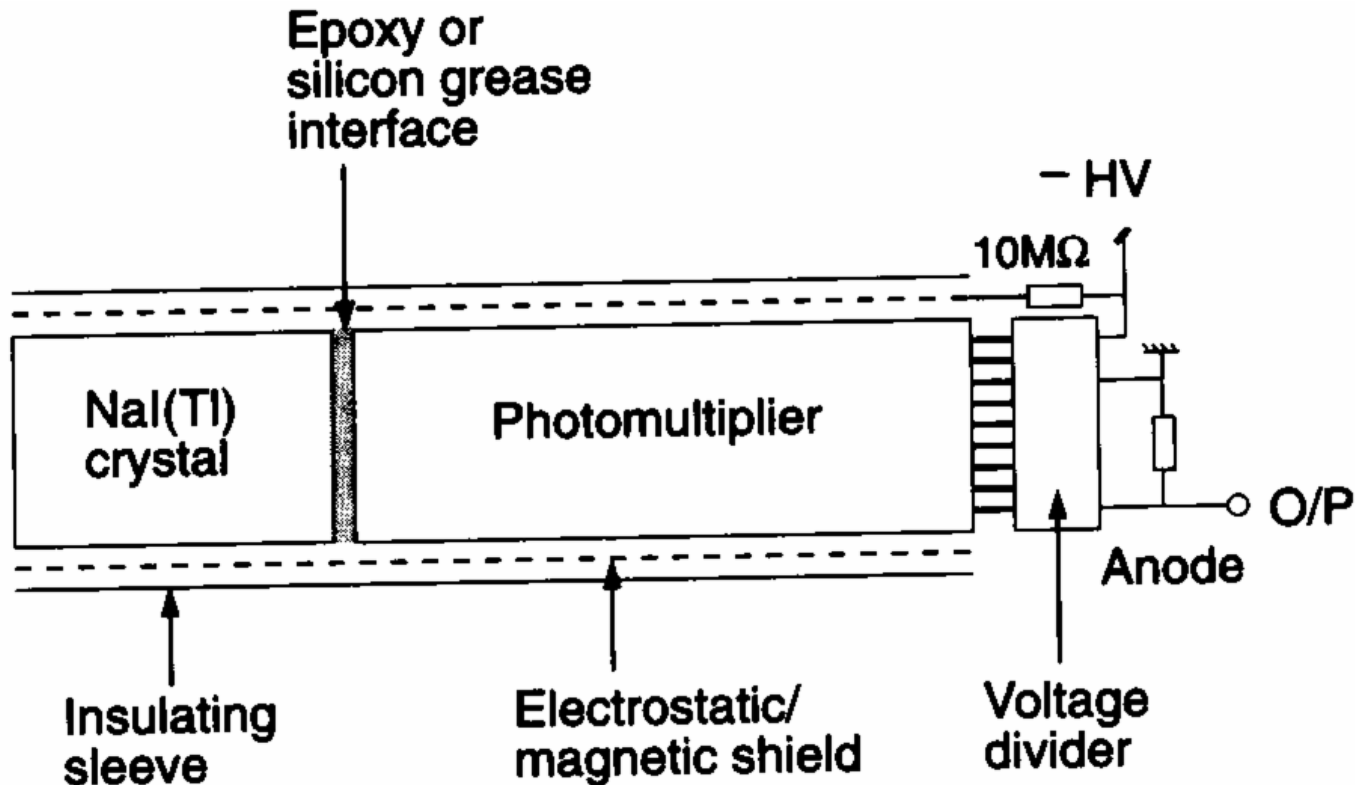
Housing



Compact UNH divider design

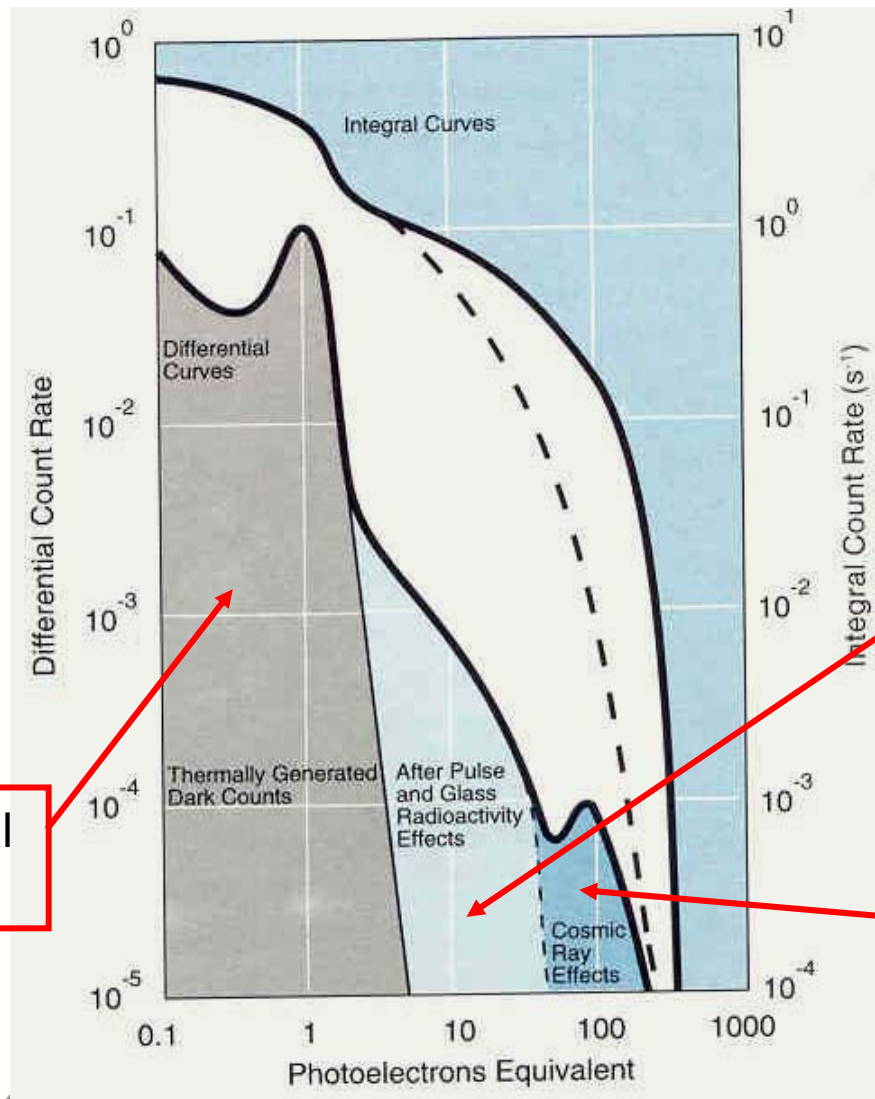


Electrostatics near cathode at $-HV$



Stable performance with negative high voltage is achieved by Eliminating potential gradients in the vicinity of the photocathode. The electrostatic shielding and the can of the crystal are both Maintained at cathode potential by this arrangement.

Dark counts



Solid : Sea level

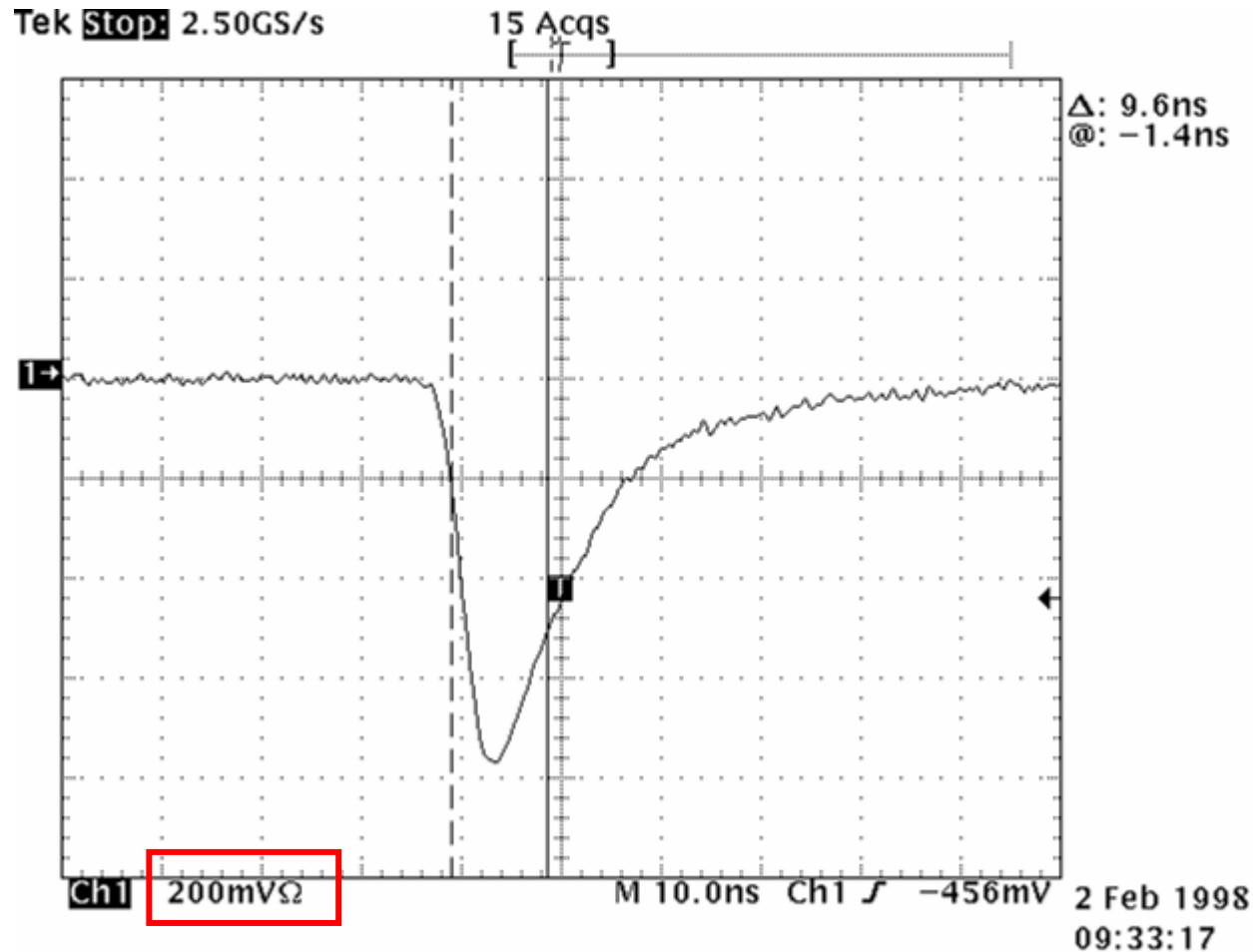
Dashed: 30 m underground

Thermal
Noise

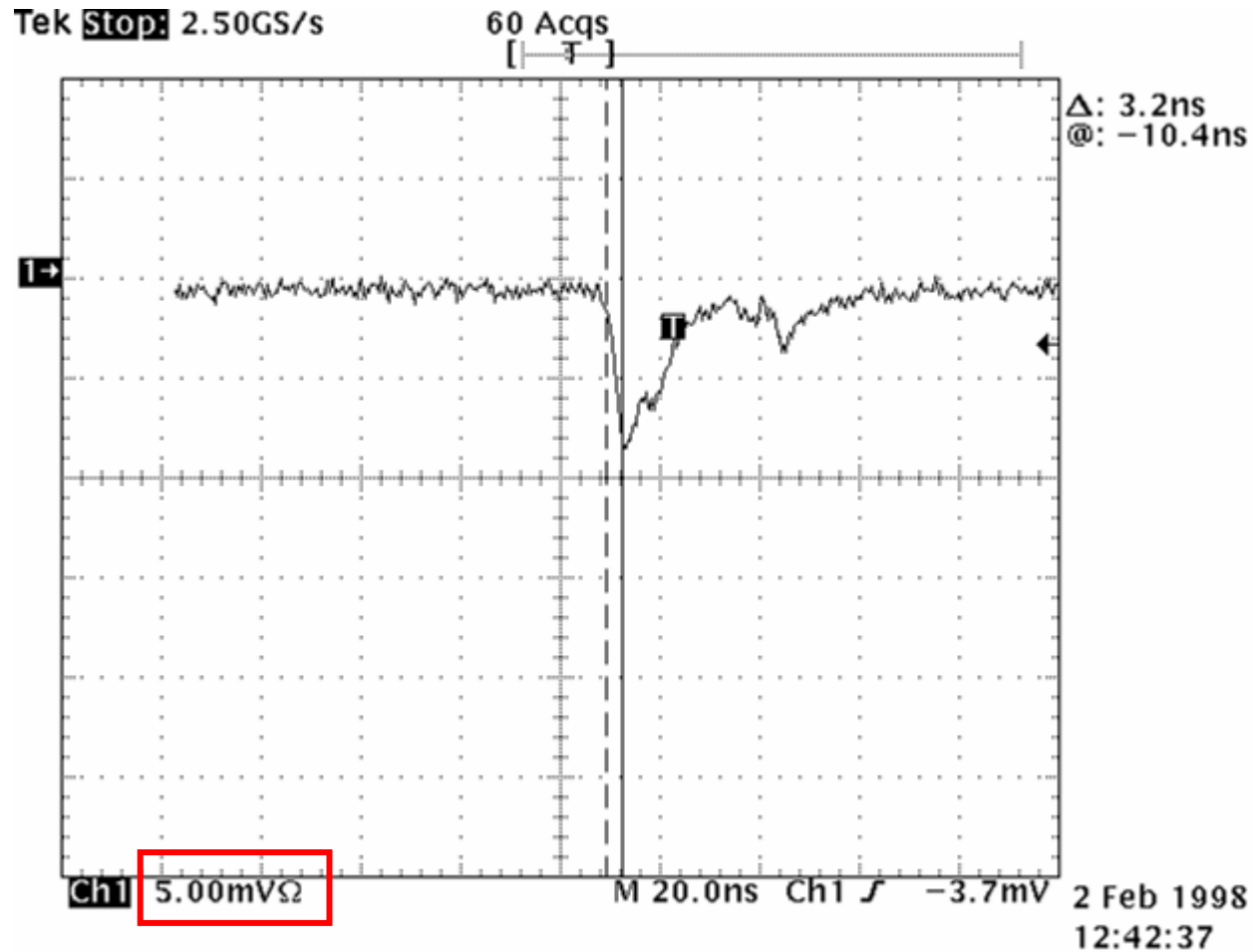
After-pulsing and
Glass radioactivity

Cosmic rays

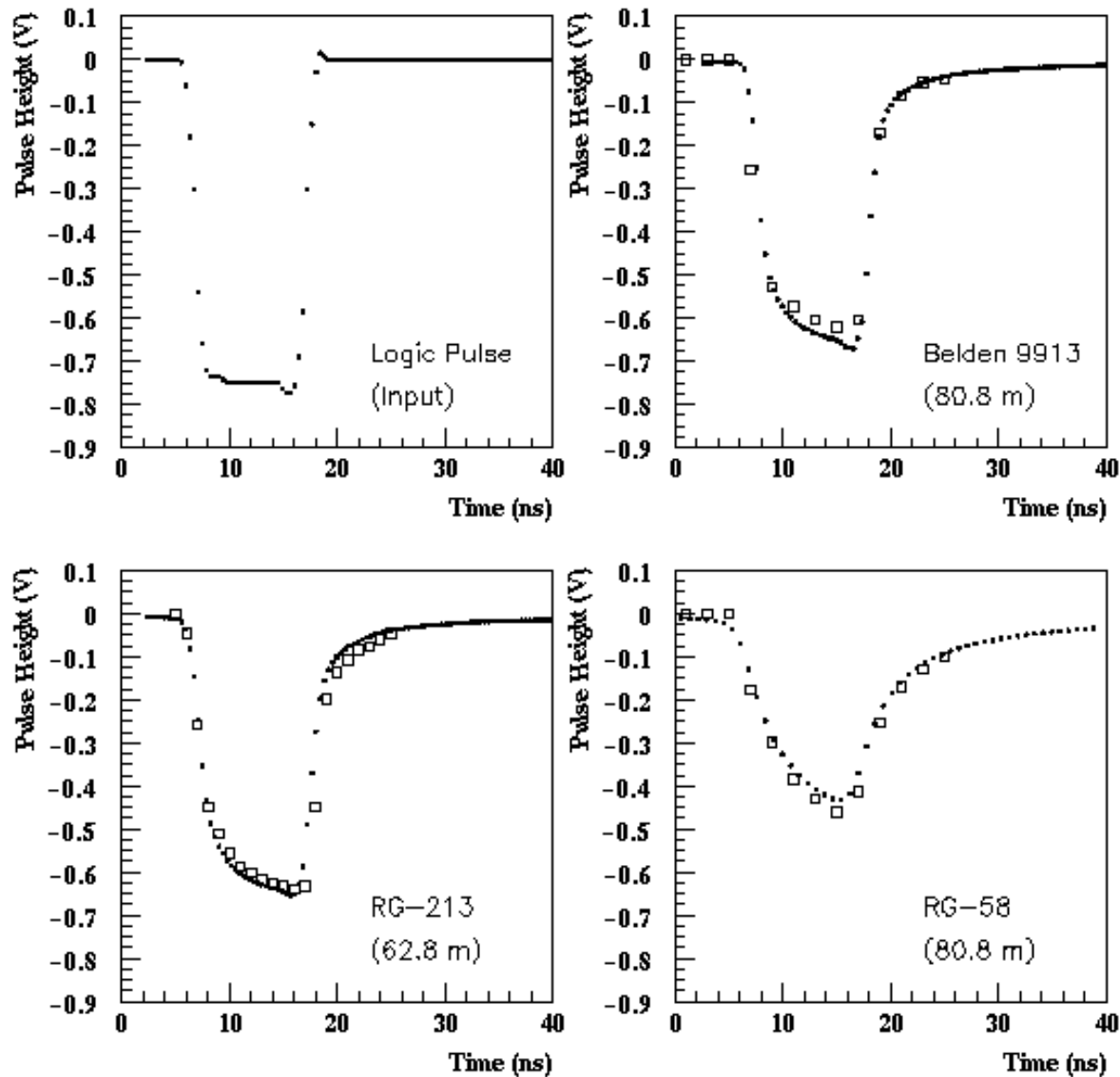
Signal for passing tracks



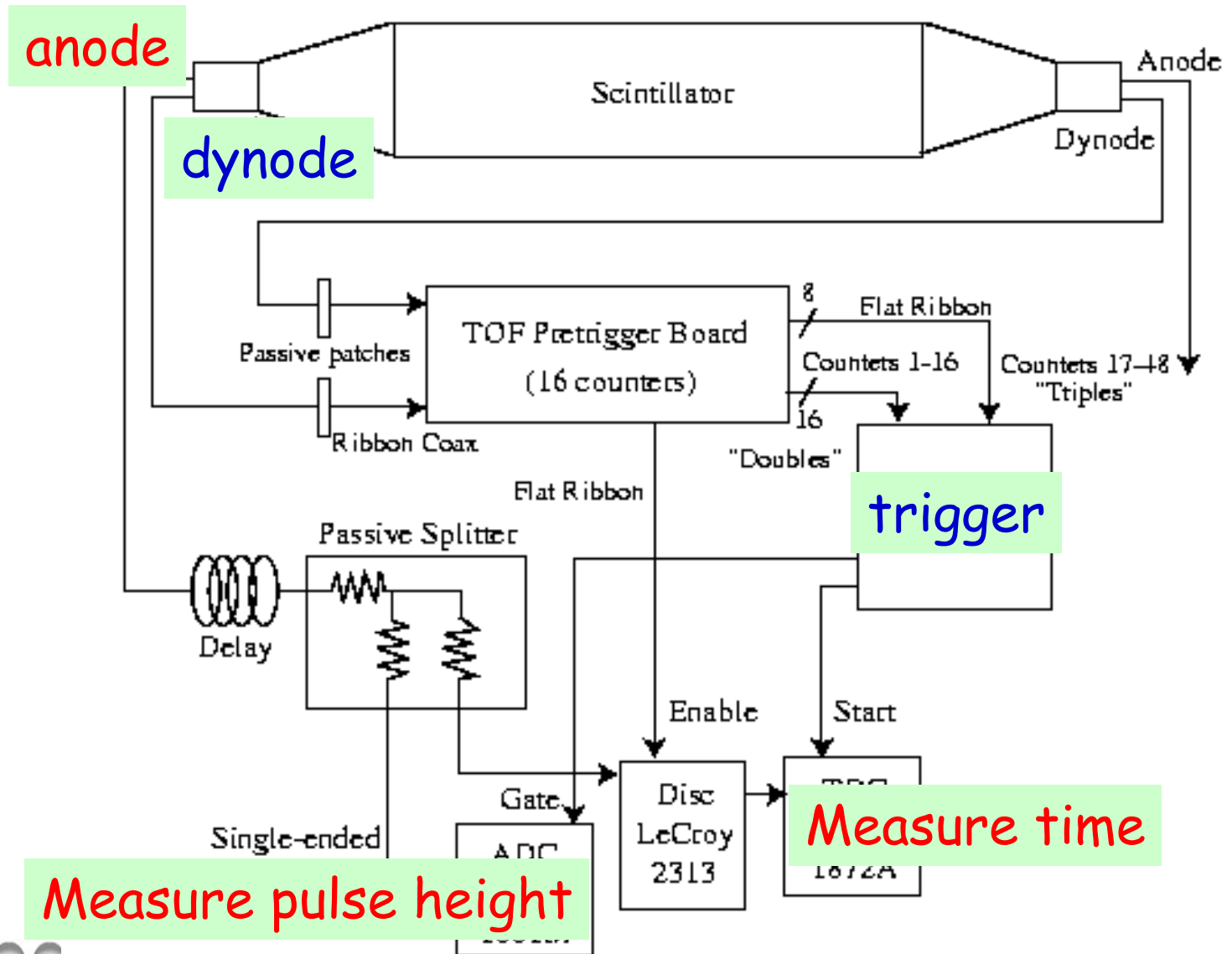
Single photoelectron signal



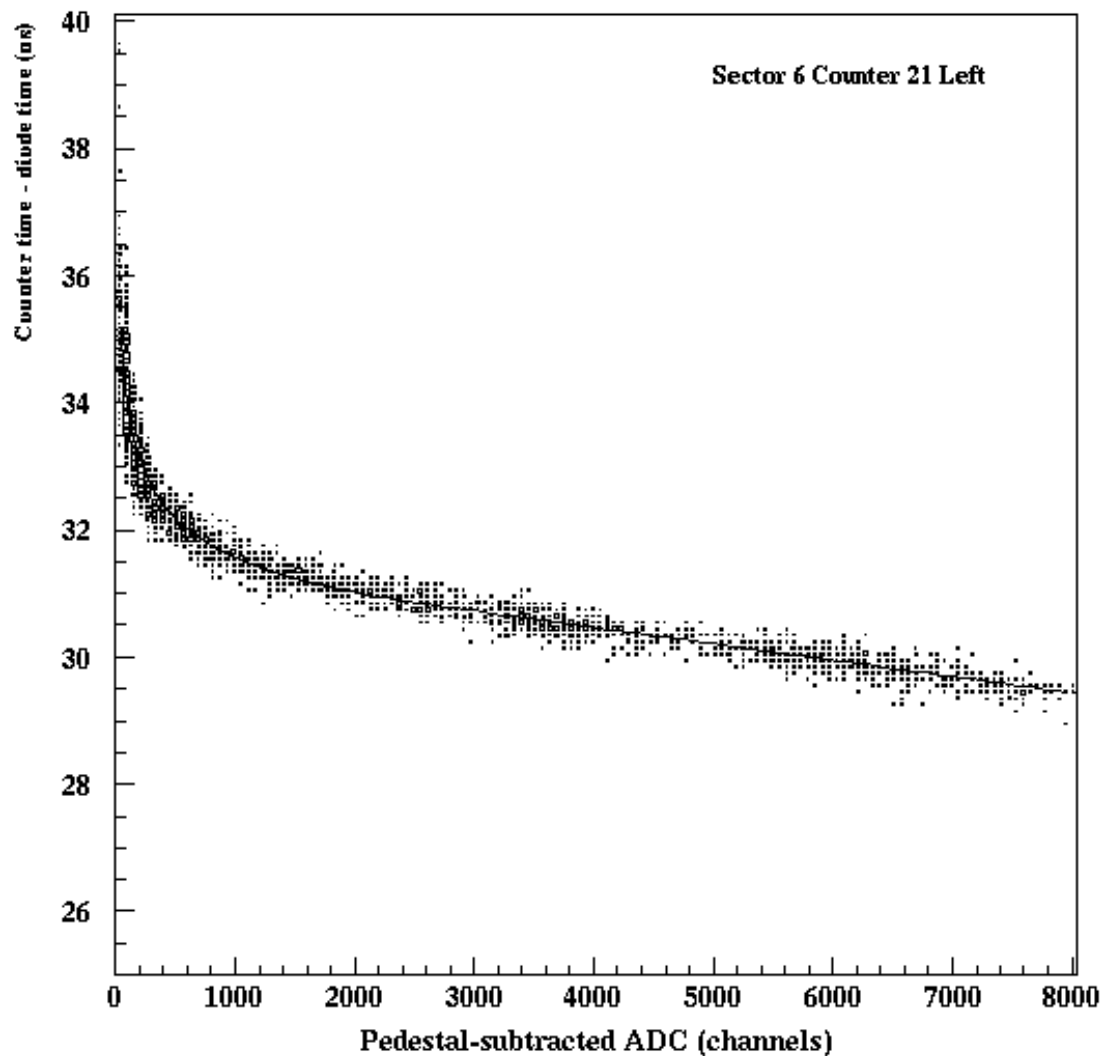
Pulse distortion in cable



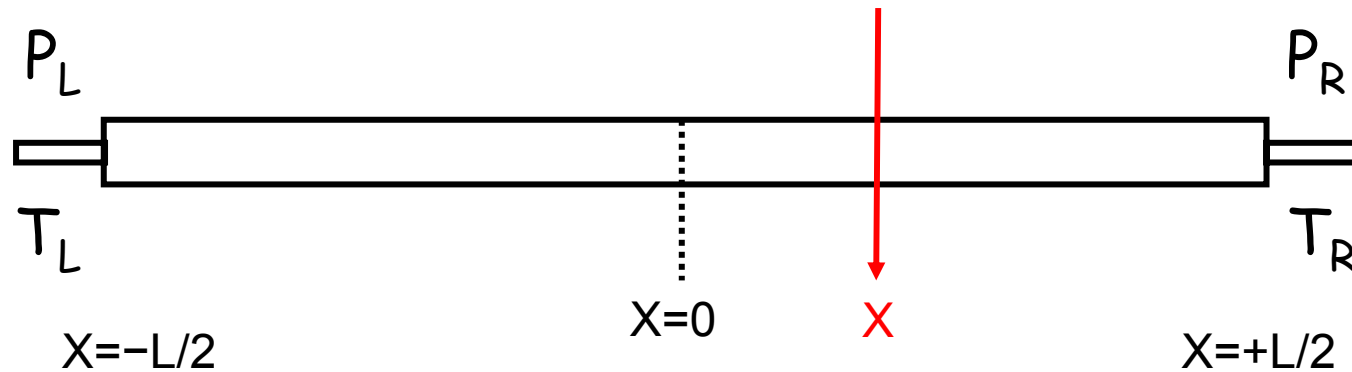
Electronics



Time-walk corrections



Formalism: Measure time and position



$$T_L = T_L^0 + x / v_{eff}$$

$$T_R = T_R^0 - x / v_{eff}$$

$$T_{ave} = \frac{1}{2} (T_L + T_R) = \frac{1}{2} (T_L^0 + T_R^0) \quad \text{Mean is independent of } x!$$

$$x = \frac{v_{eff}}{2} [(T_L - T_R) - (T_L^0 - T_R^0)] \rightarrow \frac{v_{eff}}{2} (T_L - T_R)$$

From single-photoelectron timing to counter resolution

The uncertainty in determining the passage of a particle through a scintillator has a statistical component, depending on the number of photoelectrons N_{pe} that create the pulse.

$$\sigma_{TOF} (ns) = \sqrt{\sigma_0^2 + \frac{\sigma_1^2 + (\sigma_P \cdot L / 2)^2}{N_{pe} \cdot \exp(-L / 2\lambda)}} \quad N_{pe} \approx 1000$$

$$\sigma_0 = 0.062 \text{ ns}$$

Intrinsic timing of electronic circuits

$$\sigma_1 = 2.1 \text{ ns}$$

Combined scintillator and pmt response

$$\sigma_P = 0.0118 \text{ ns / cm}$$

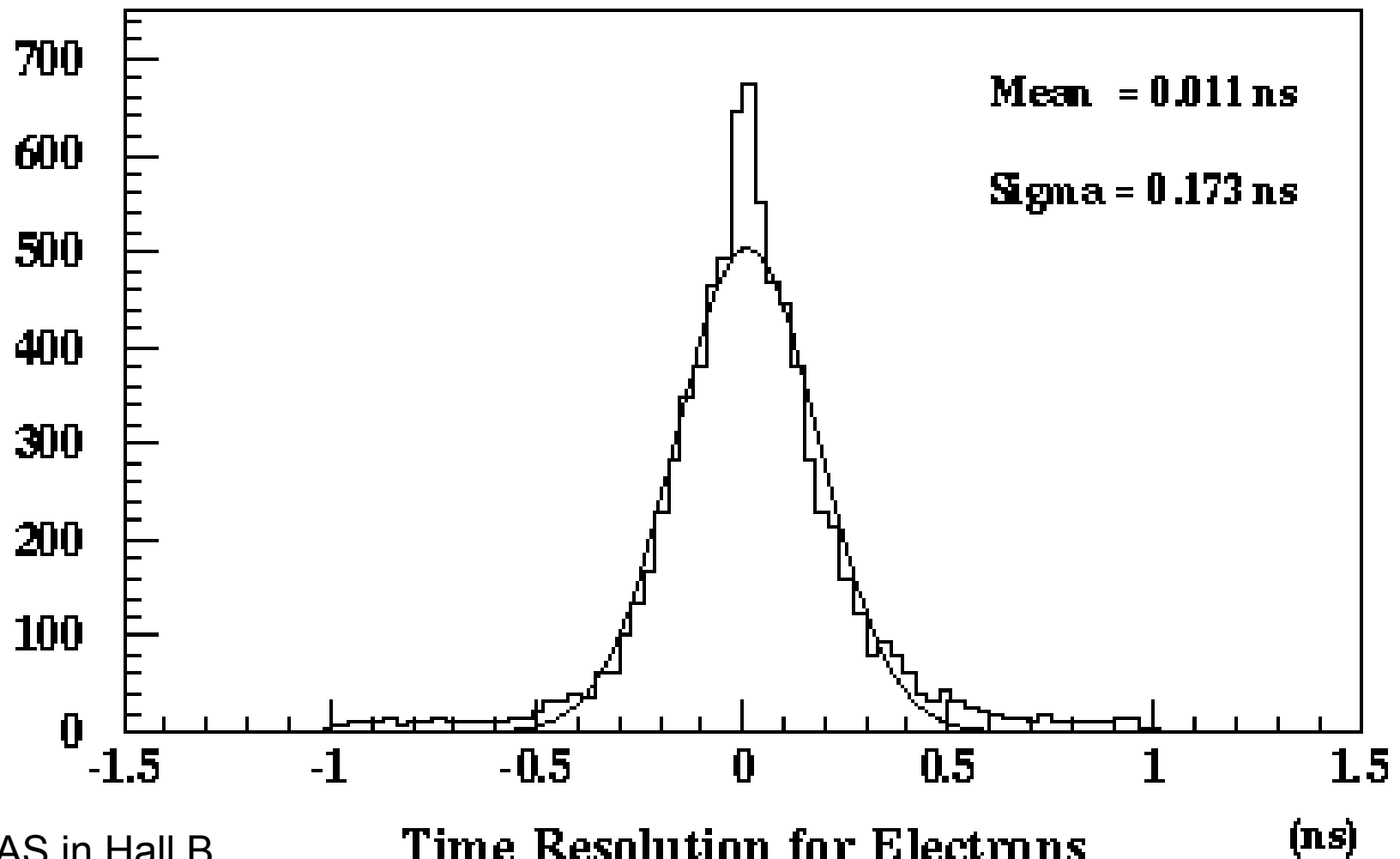
Average path length variations in scintillator

$$\lambda = 134 \text{ cm} + 0.36 \cdot L \quad (15 \text{ cm counters})$$

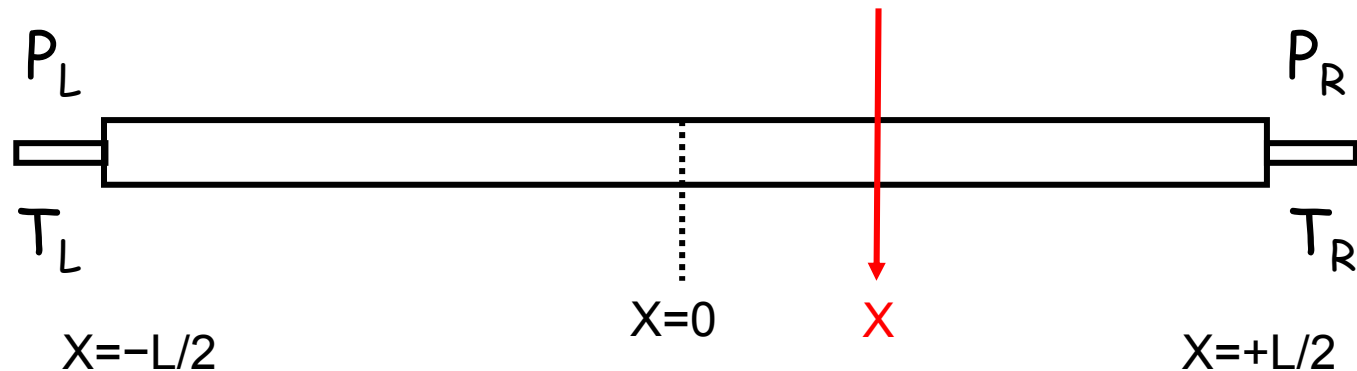
$$\lambda = 430 \text{ cm} \quad (22 \text{ cm counters})$$



Average time resolution



Formalism: Measure energy loss



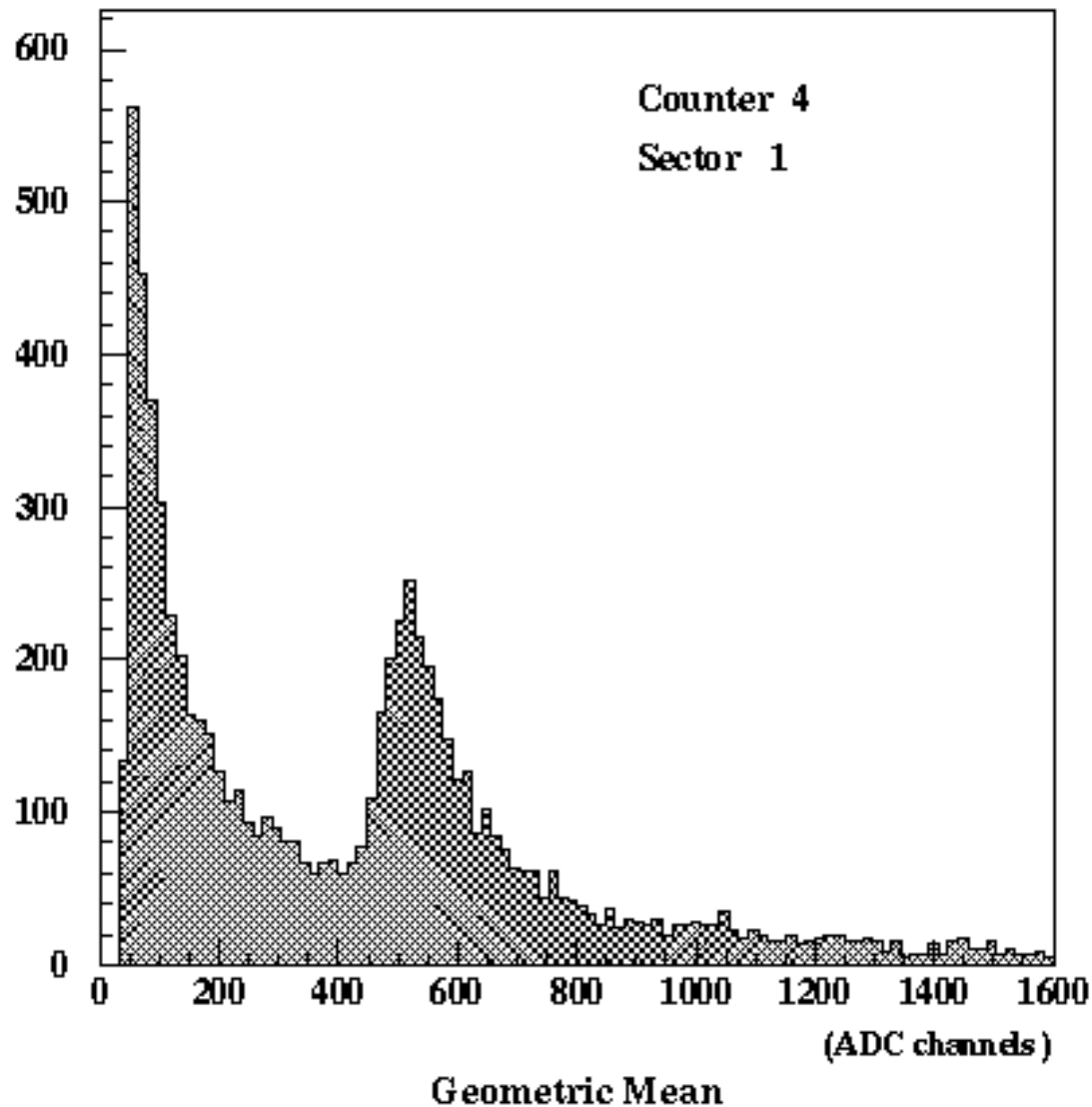
$$P_L = P_L^0 e^{-x/\lambda}$$

$$P_R = P_R^0 e^{x/\lambda}$$

$$Energy = \sqrt{P_L \cdot P_R} = \sqrt{P_L^0 \cdot P_R^0}$$

Geometric mean is independent of x!

Energy deposited in scintillator



Uncertainties

Timing

Assume that one pmt measures a time with uncertainty δt

$$\delta t_{ave} = \frac{1}{2} \sqrt{\delta t_L^2 + \delta t_R^2} \sim \frac{\delta t}{\sqrt{2}}$$

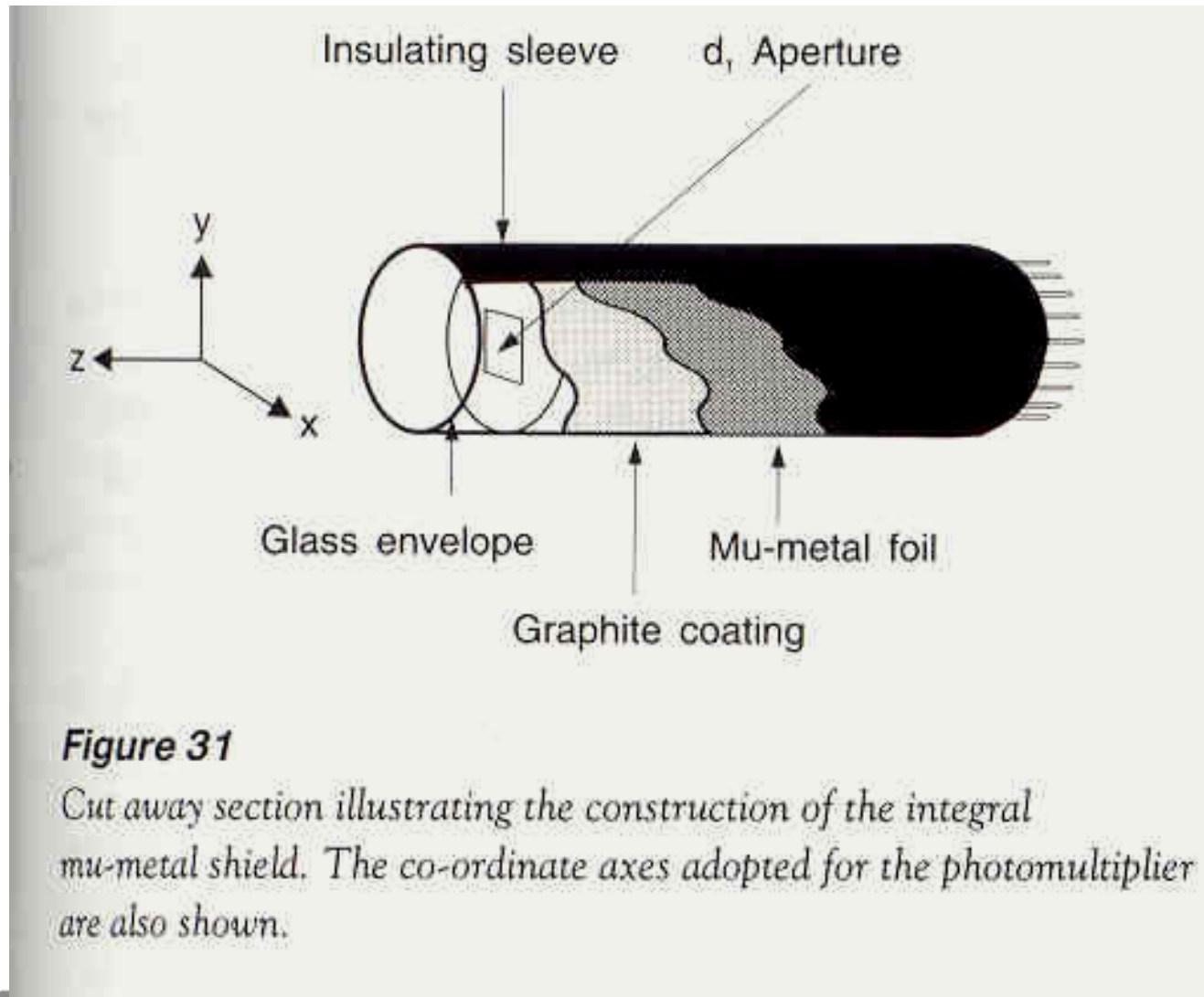
$$\delta x = (v_{eff} \cdot \frac{1}{2}) \sqrt{\delta t_L^2 + \delta t_R^2} \sim v_{eff} \cdot \frac{\delta t}{\sqrt{2}}$$

Mass Resolution

$$m = \frac{E}{\gamma} \quad \rightarrow m^2 = (1 - \beta^2) E^2 = \left(\frac{1 - \beta^2}{\beta^2} \right) p^2$$

$$\left(\frac{\delta m}{m} \right)^2 = \gamma^4 \left(\frac{\delta \beta}{\beta} \right)^2 + \left(\frac{\delta p}{p} \right)^2$$

Integral magnetic shield



Example: Kaon mass resolution by TOF

$$P_K = 1 \text{ GeV}/c \qquad E_K = \sqrt{0.495^2 + 1} = 1.116 \text{ GeV}$$

$$\beta_K = \left(\frac{P_K}{E_K} \right) = 0.896 \qquad \gamma_K = \left(\frac{E_K}{m_K} \right) = 2.26$$

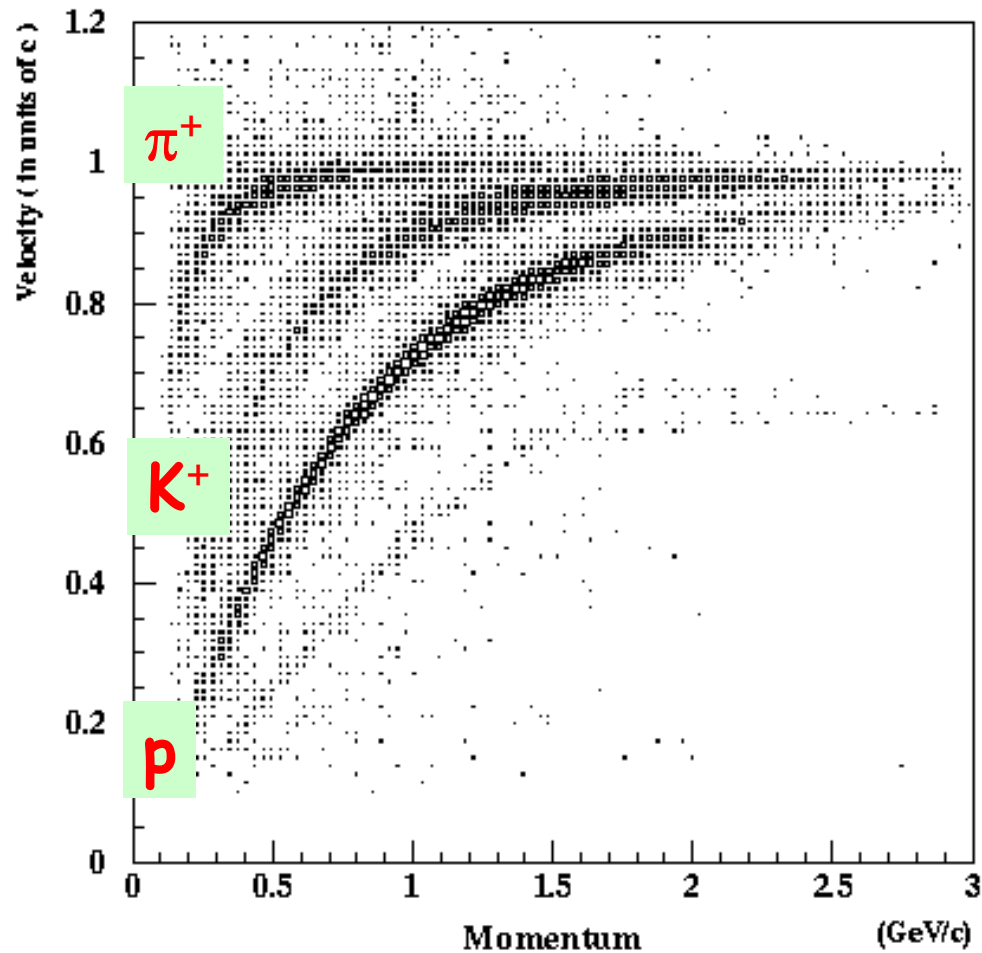
For a flight path of $d = 500 \text{ cm}$, $t = \left(\frac{500 \text{ cm}}{0.896 \cdot 30 \text{ cm/ns}} \right) = 18.6 \text{ ns}$

Assume $\delta t = 0.15 \text{ ns}$ $\left(\frac{\delta p}{p} \right) = 0.01$

$$\left(\frac{\delta m}{m} \right)^2 = 2.26^4 \left(\frac{0.15}{18.6} \right)^2 + (0.01)^2 = 0.042^2 \quad \rightarrow \delta m_K \sim 21 \text{ MeV}$$

Note: $\left(\frac{\delta m}{m} \right) \xrightarrow{\gamma^2 \rightarrow \infty} \infty \left(\text{for fixed } \frac{\delta \beta}{\beta} \right)$

Velocity vs. momentum



Summary

- Scintillator counters have a few simple components
 - Systems are built out of these counters
 - Fast response allows for accurate timing
- The time resolution required for particle identification is the result of the time response of individual components scaled by $\sqrt{N_{pe}}$

Magnetic fields

